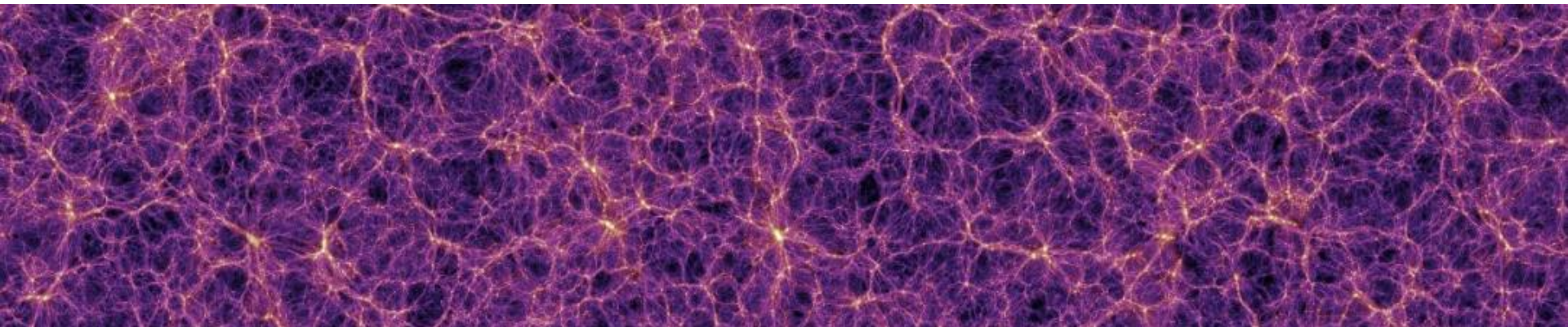


Mapping the real-space distributions of galaxies in SDSS DR7



Feng Shi 史峰

Shanghai Astronomical Observatory

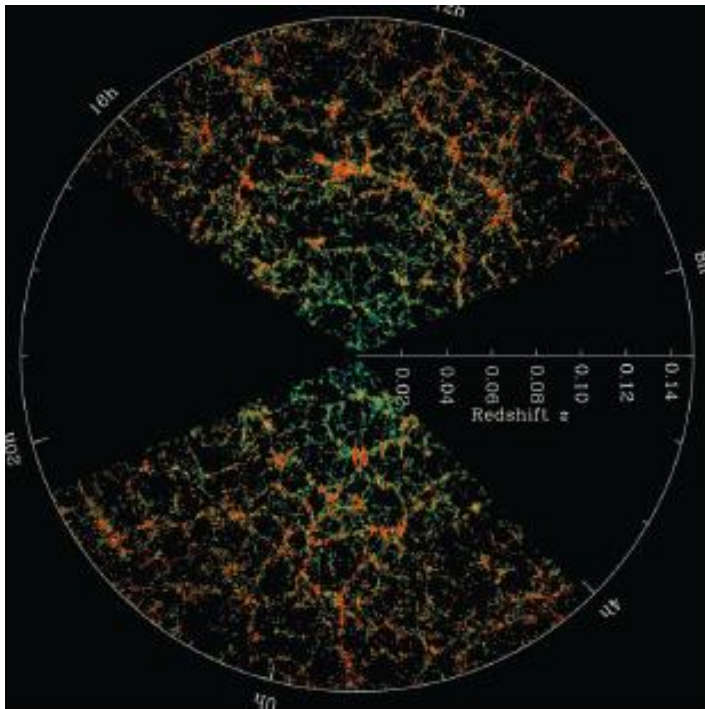
Xiaohu Yang, Huiyuan Wang, Youcai Zhang,
Houjun Mo, Frank C. van den Bosch...

2017-07-04 APRIM

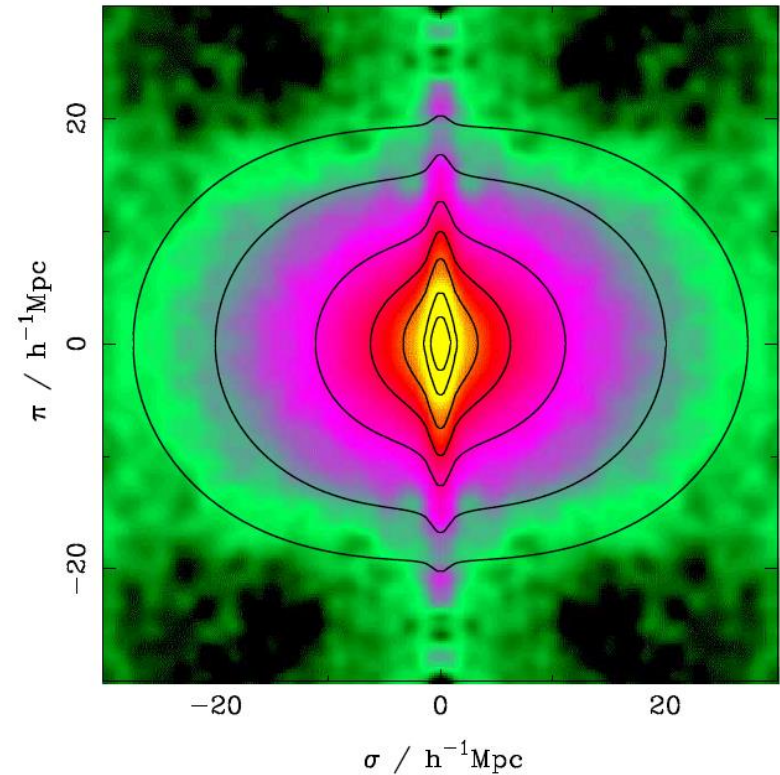
Motivation

What is the galaxies distributions in the Universe?

SDSS DR7



Redshift distortion



Peacock et al. 2001

Method: correct for redshift distortion

For each galaxy :

$$z_{obs} = z_{cos} + \frac{v_{pec}}{c} (1 + z_{cos})$$

The diagram illustrates the equation for observed redshift. The term z_{cos} is associated with a blue box labeled "Real distance" and a blue arrow pointing upwards to it. The term $\frac{v_{pec}}{c} (1 + z_{cos})$ is associated with an orange box labeled "Redshift distortion" and an orange arrow pointing upwards to it.

Method: correct for redshift distortion

For each galaxy :

$$z_{obs} = z_{cos} + \frac{v_{pec}}{c} (1 + z_{cos})$$

$$v_{pec} = v_{cen} + v_{\sigma}$$

Correct separately :

Kaiser:
$$z_{correct} = \frac{z_{obs} - v_{cen}/c}{1 + v_{cen}/c}$$

FOG:
$$z_{correct} = \frac{z_{obs} - v_{\sigma}/c}{1 + v_{\sigma}/c}$$

Method: correct for redshift distortion

For each galaxy :

$$z_{obs} = z_{cos} + \frac{v_{pec}}{c} (1 + z_{cos})$$

Diagram illustrating the equation above:

- A blue box labeled "Real distance" has a blue arrow pointing to z_{cos} .
- An orange box labeled "Redshift distortion" has an orange arrow pointing to the term $\frac{v_{pec}}{c} (1 + z_{cos})$.

$$v_{pec} = v_{cen} + v_{\sigma}$$

Correct separately :

Kaiser:

$$z_{correct} = \frac{z_{obs} - v_{cen}/c}{1 + v_{cen}/c}$$

FOG:

$$z_{correct} = \frac{z_{obs} - v_{\sigma}/c}{1 + v_{\sigma}/c}$$

Linear theory

$$\mathbf{v}(\mathbf{k}) = H a f(\Omega) \frac{i\mathbf{k}}{k^2} \frac{\delta_h(\mathbf{k})}{b_{hm}}$$

(Wang et al. 2012)

Method: correct for redshift distortion

For each galaxy :

$$z_{obs} = z_{cos} + \frac{v_{pec}}{c} (1 + z_{cos})$$

Real distance Redshift distortion

$$v_{pec} = v_{cen} + v_{\sigma}$$

Correct separately :

Linear theory

$$\mathbf{v}(\mathbf{k}) = H a f(\Omega) \frac{i\mathbf{k}}{k^2} \frac{\delta_h(\mathbf{k})}{b_{hm}}$$

(Wang et al. 2012)

Kaiser:

$$z_{correct} = \frac{z_{obs} - v_{cen}/c}{1 + v_{cen}/c}$$

FOG:

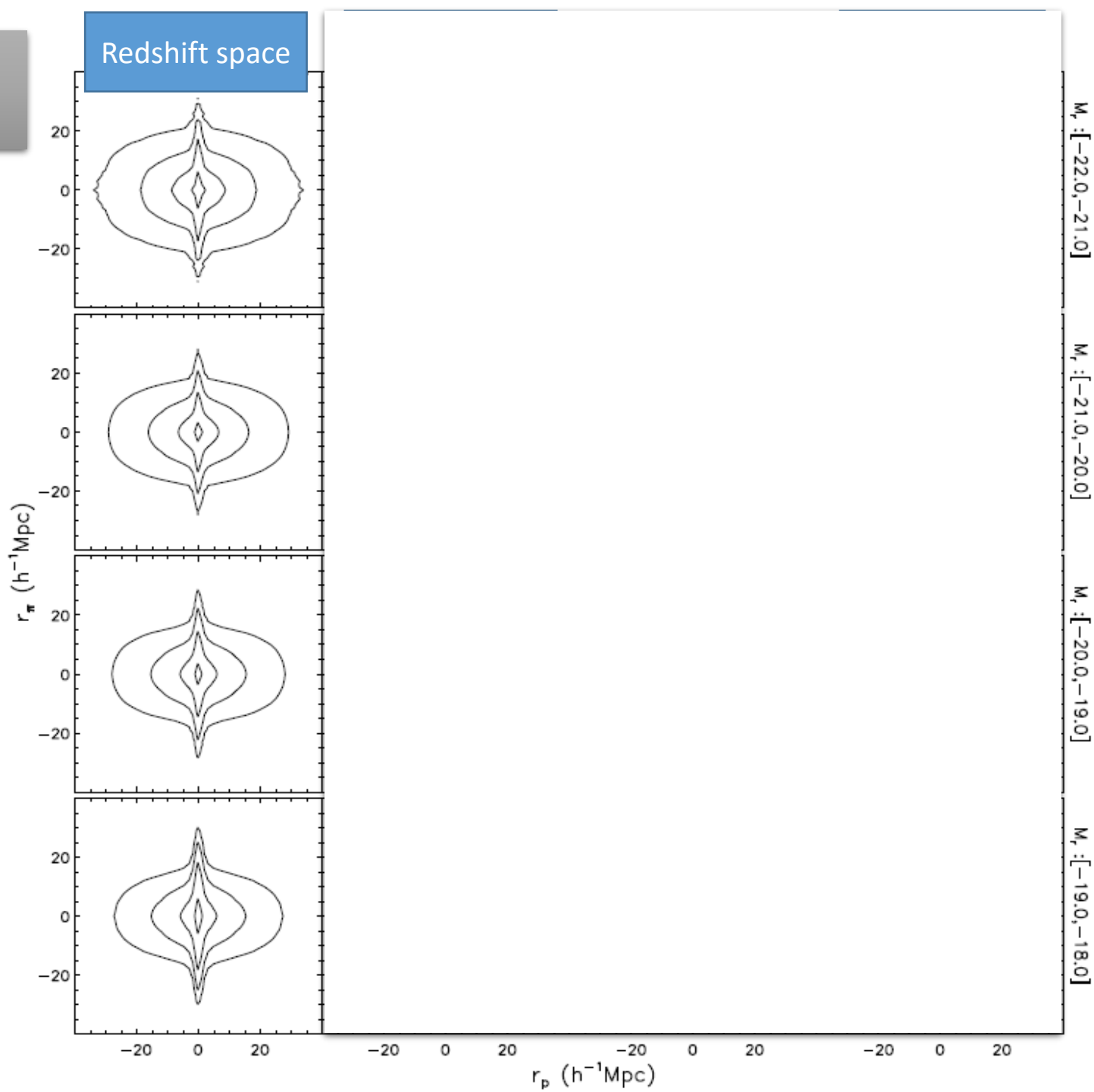
~~$$z_{correct} = \frac{z_{obs} - v_{\sigma}/c}{1 + v_{\sigma}/c}$$~~

Redshift group

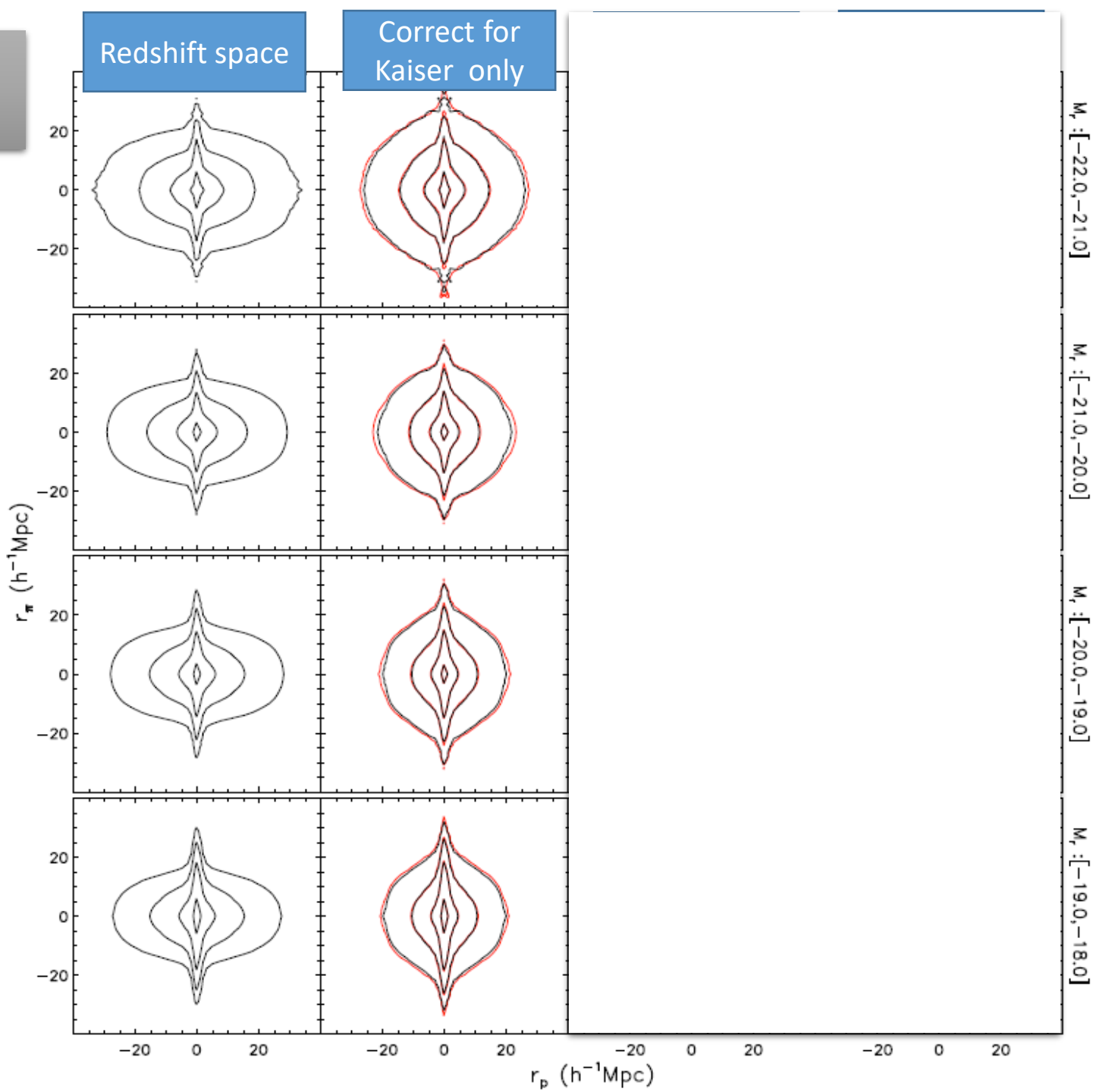
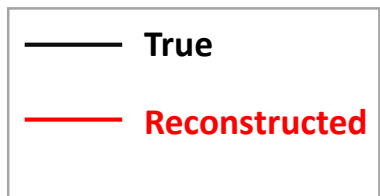


Group galaxies follow the NFW density profile

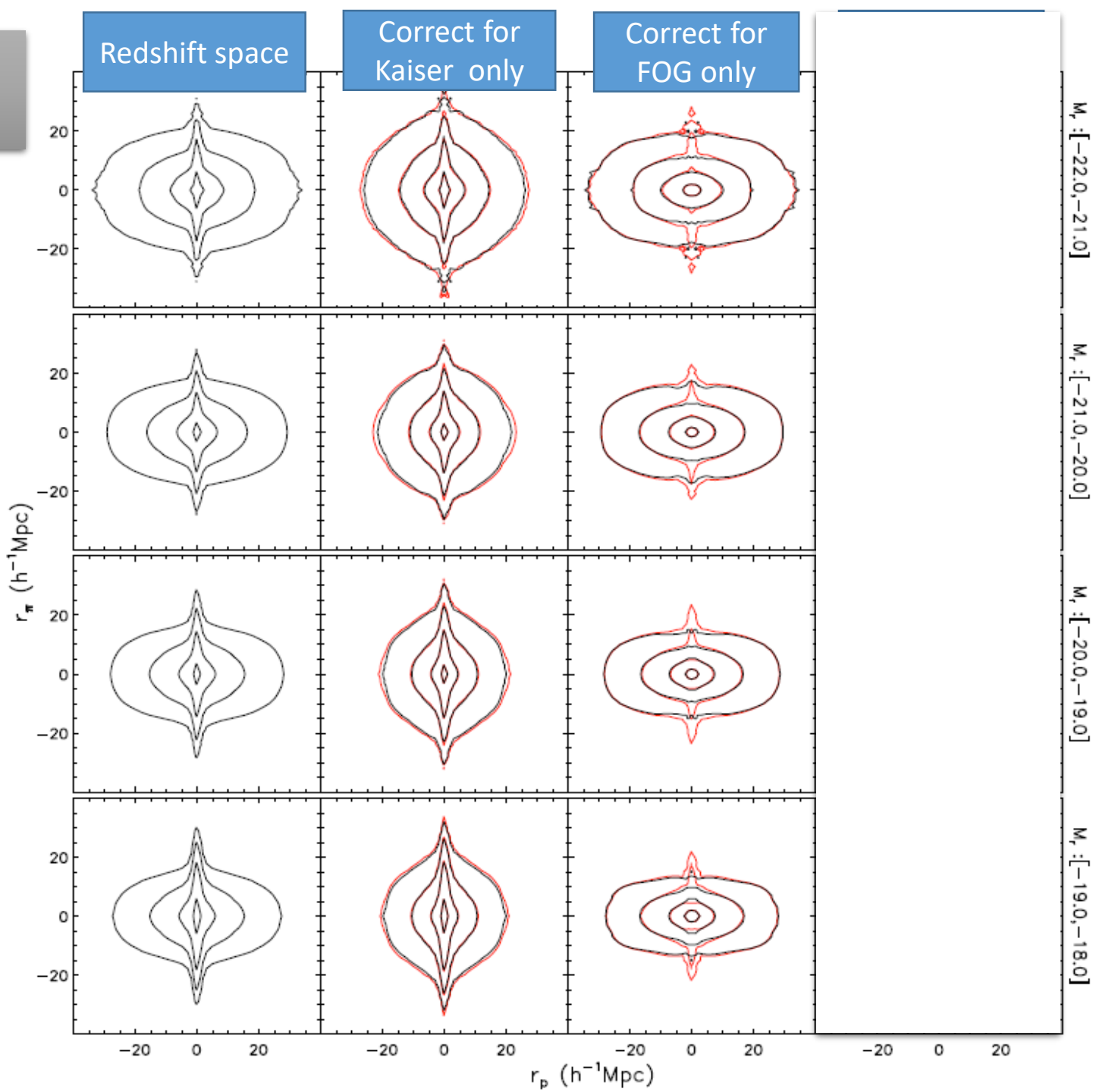
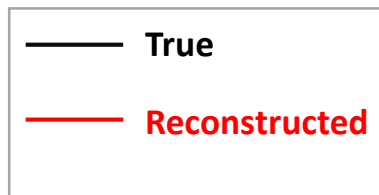
Mock Test The 2D 2PCF



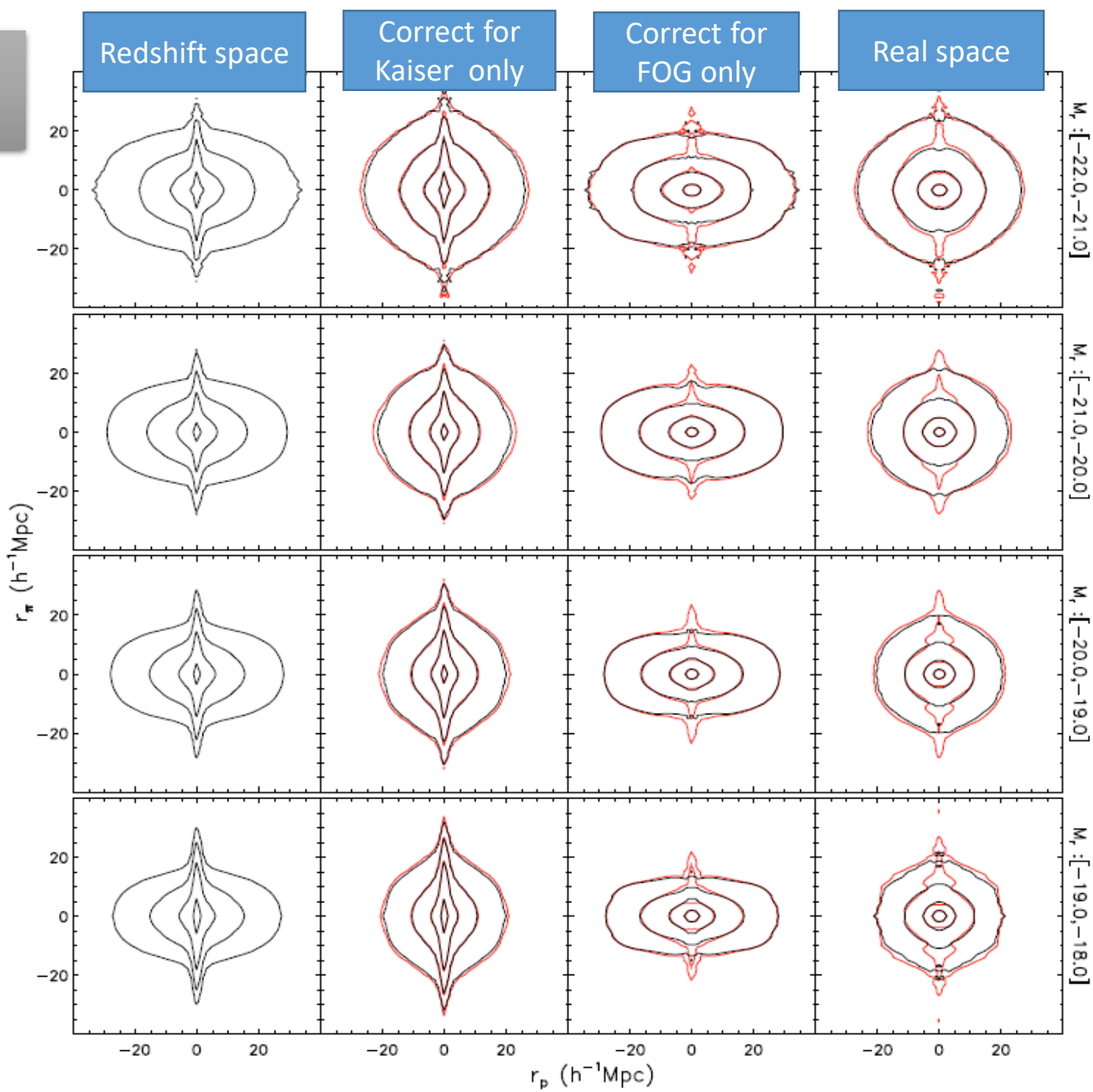
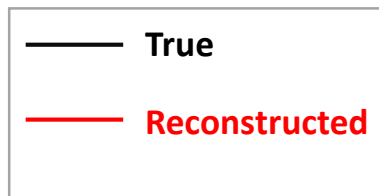
Mock Test The 2D 2PCF



Mock Test The 2D 2PCF



Mock Test The 2D 2PCF



Good performance
but some error

Mock Test

The 2PCF $\xi(s)$

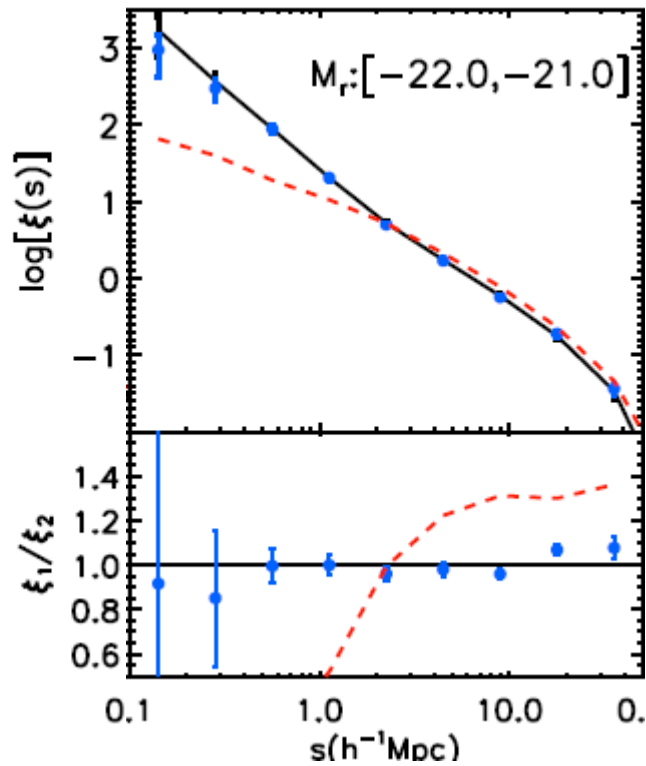
----- Redshift space

— True real space

vs.

Reconstructed real space ●

$$\frac{\xi_{reconstruct}}{\xi_{true}}$$



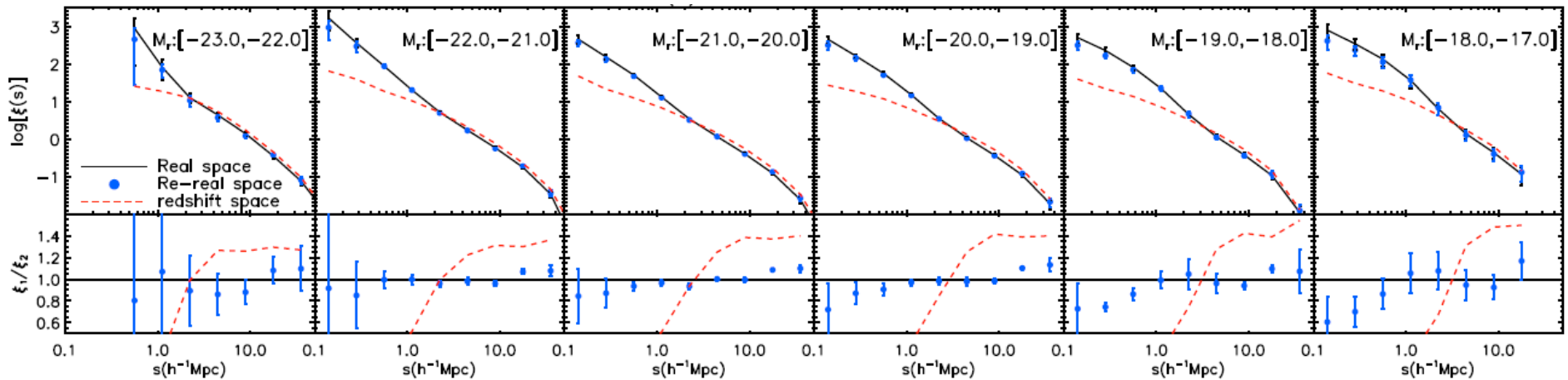
Mock Test The 2PCF $\xi(s)$

----- Redshift space

— True real space

vs.

Reconstructed real space ●



Overall mostly,
the accuracy is better than the measurement error due to the cosmic variance

A real-space galaxy catalog in SDSS DR7

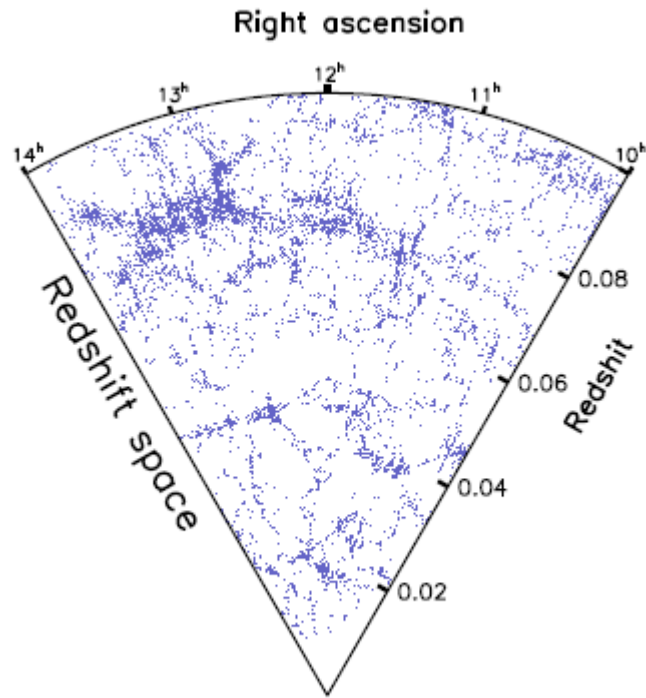
Northern Galactic Cap

$0.01 \leq z \leq 0.12$

396068 galaxies

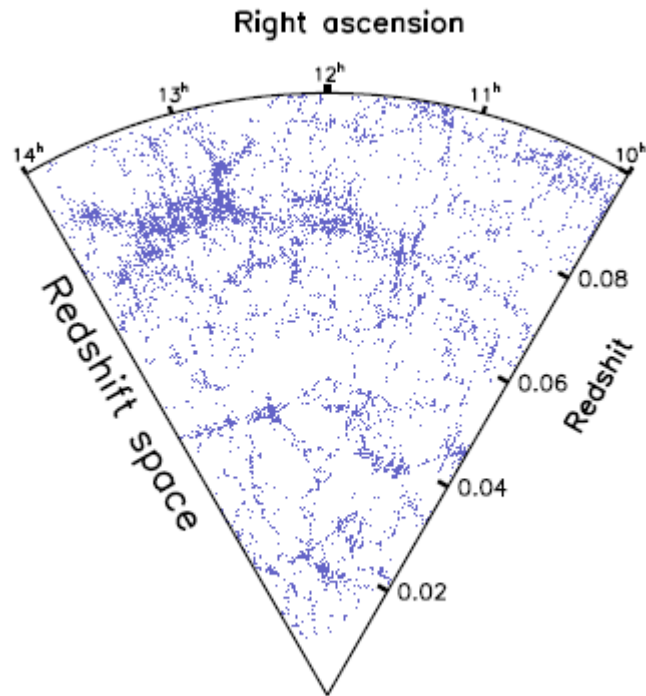
The galaxy distributions in SDSS DR7

Redshift space

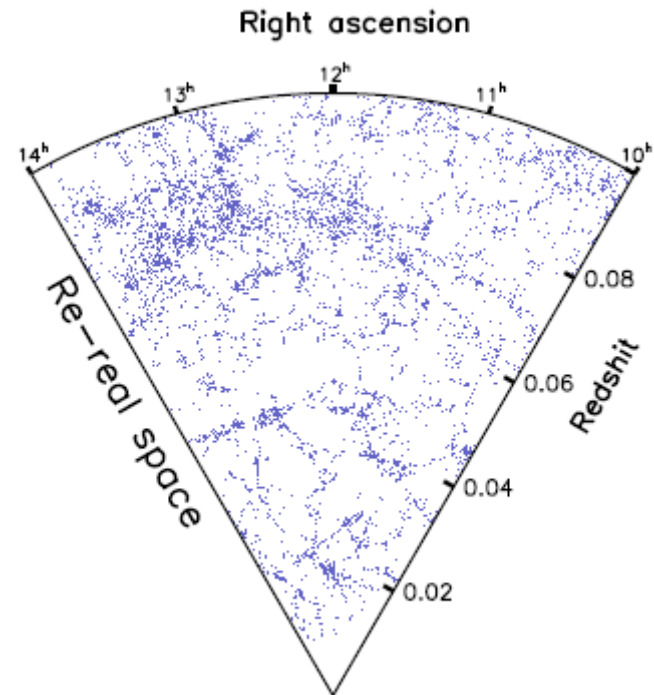


The galaxy distributions in SDSS DR7

Redshift space



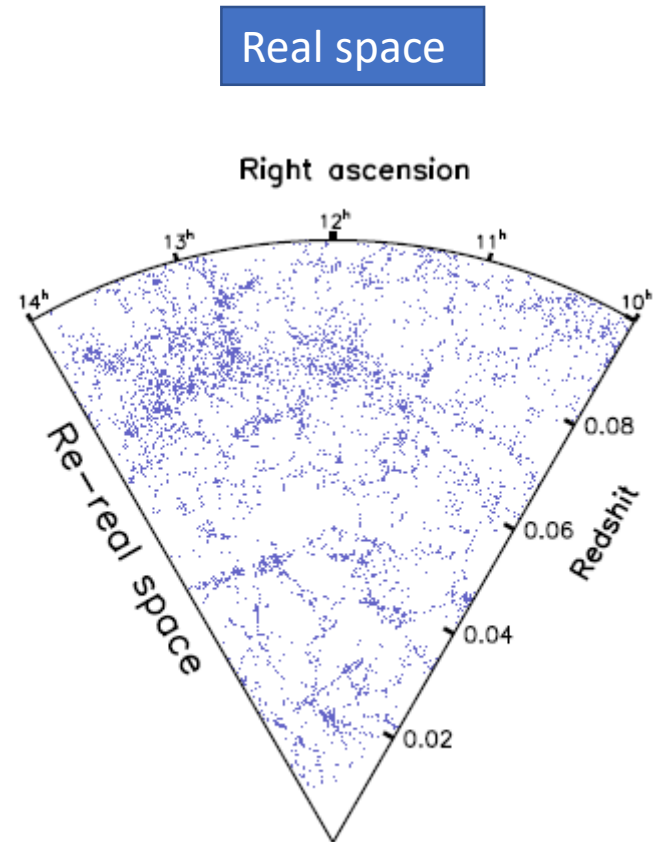
Real space



The Sloan Great Wall structure looks to be much weakened !

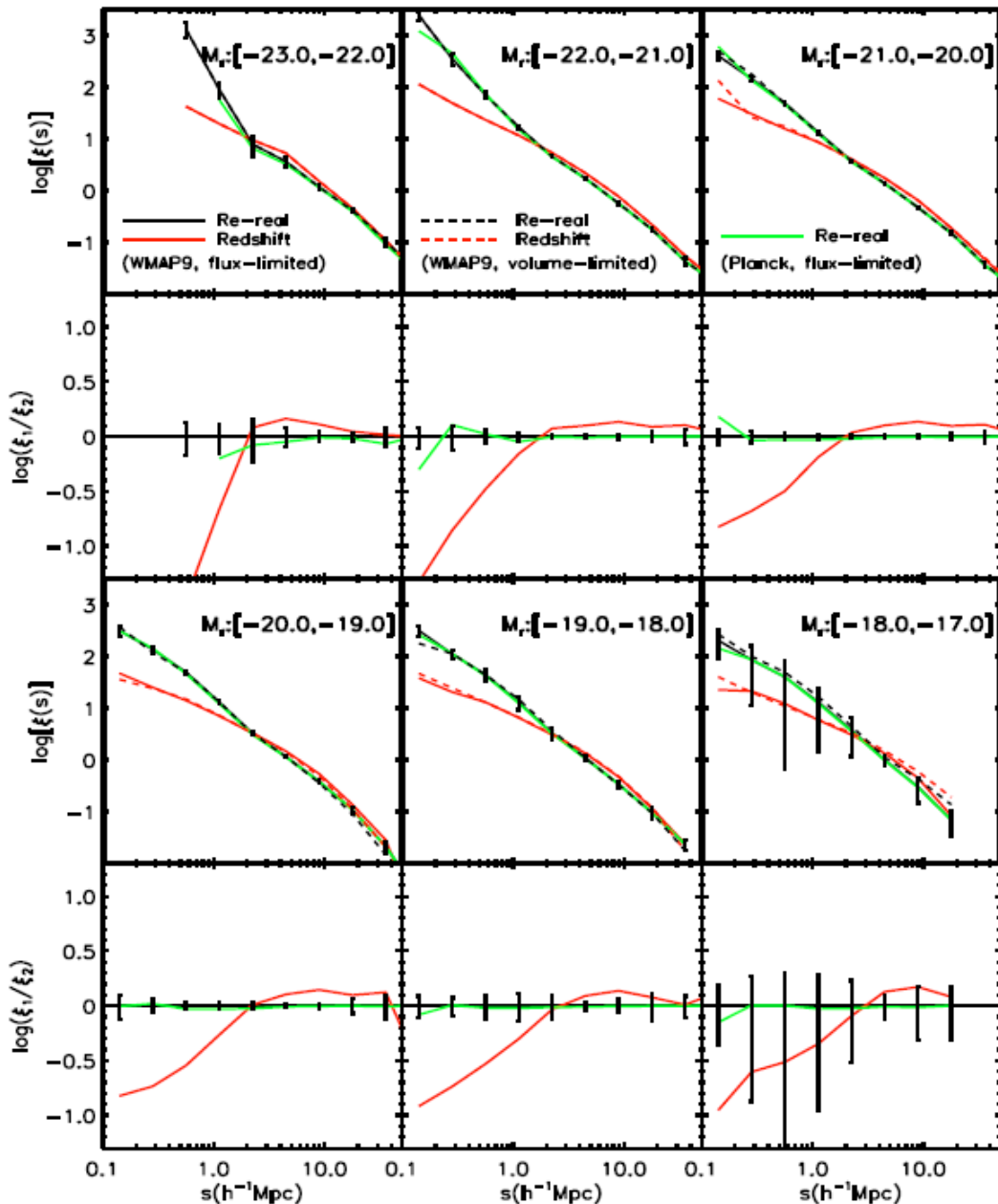
The galaxy distributions in SDSS DR7

Galaxy clustering in real space



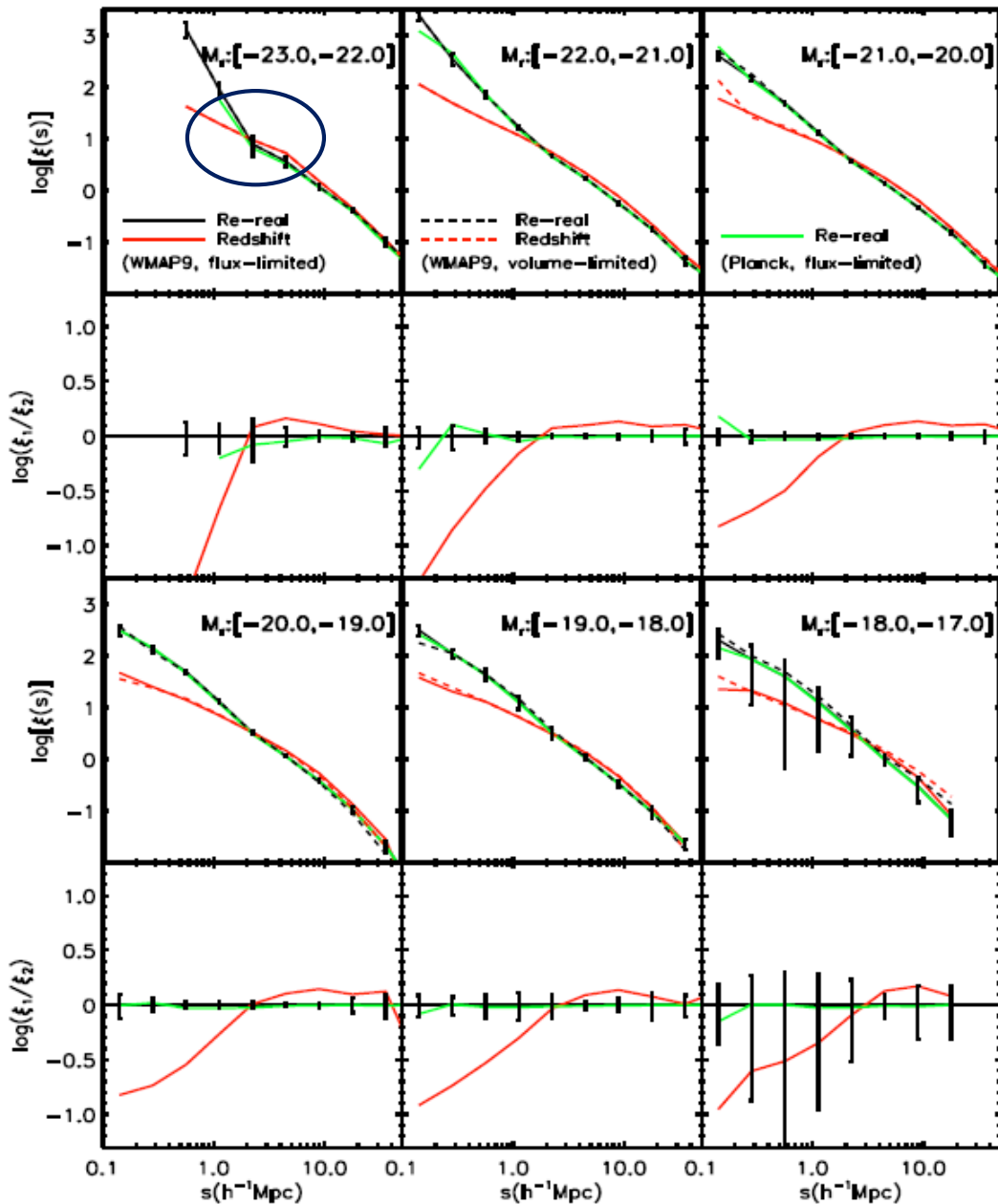
The Sloan Great Wall structure looks to be much weakened !

SDSS DR7: 2PCFs $\xi(s)$

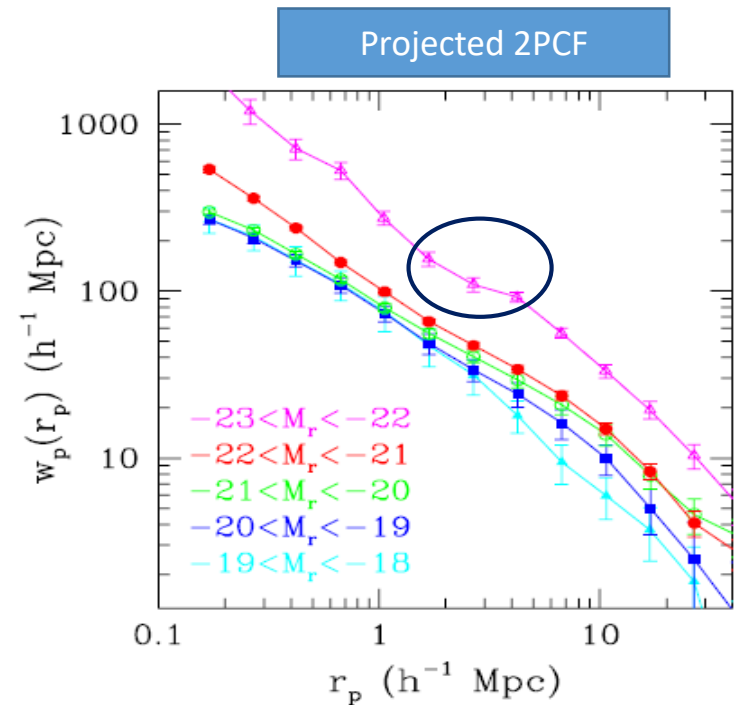


- ★ First attempt to measure the real-space $\xi(s)$ directly from a map in the SDSS
- ★ Kaiser: boost 40-50%
FOG: suppress 70-80%
- ★ $\xi(s)$: a clearer 1-halo to 2-halo transition

SDSS DR7: 2PCFs $\xi(s)$

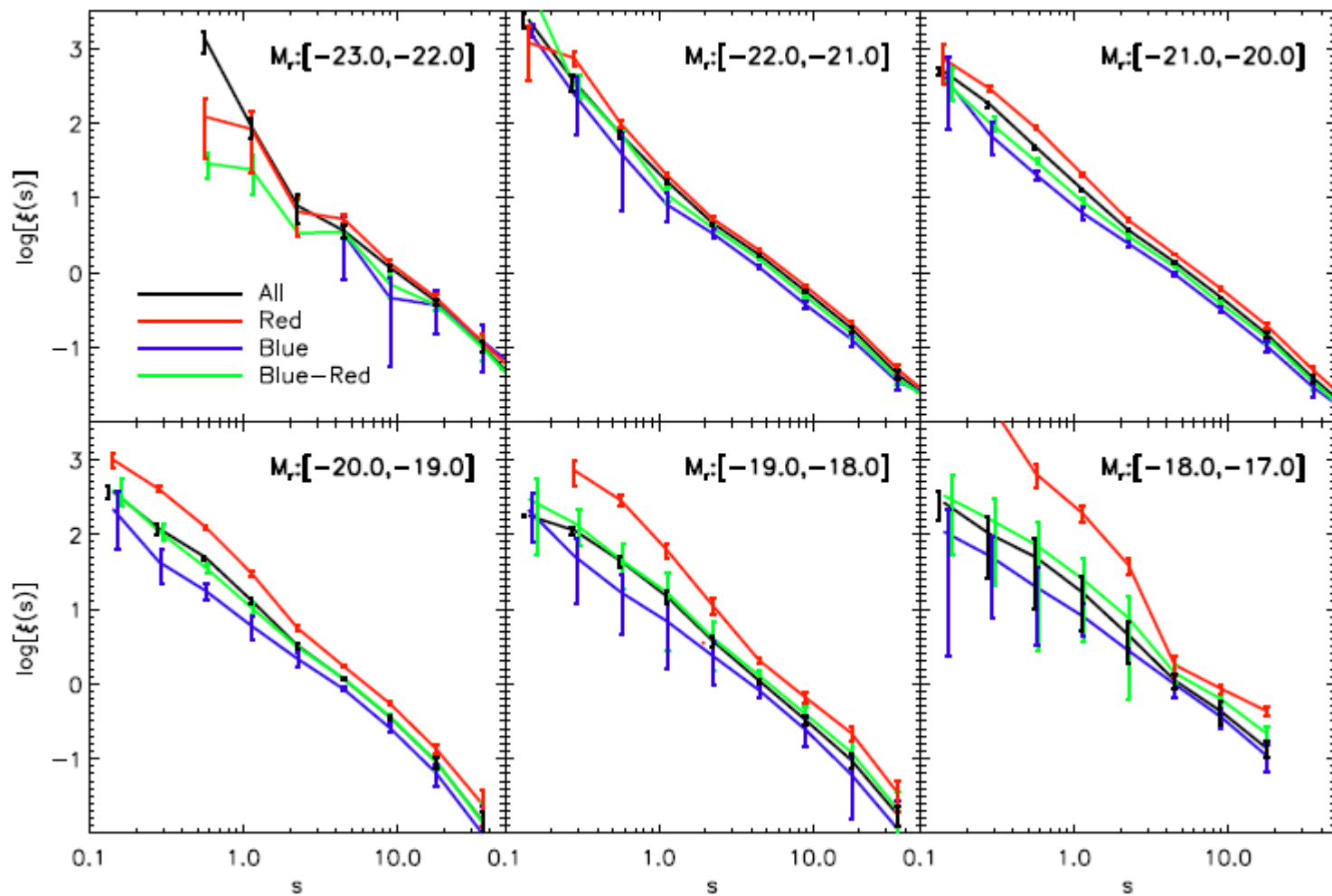


- ★ First attempt to measure the real-space $\xi(s)$ directly from a map in the SDSS
- ★ Kaiser: boost 40-50%
FOG: suppress 70-80%
- ★ $\xi(s)$: a clearer 1-halo to 2-halo transition



Zehavi et al. 2011

SDSS DR7: 2PCFs $\xi(s)$ on color

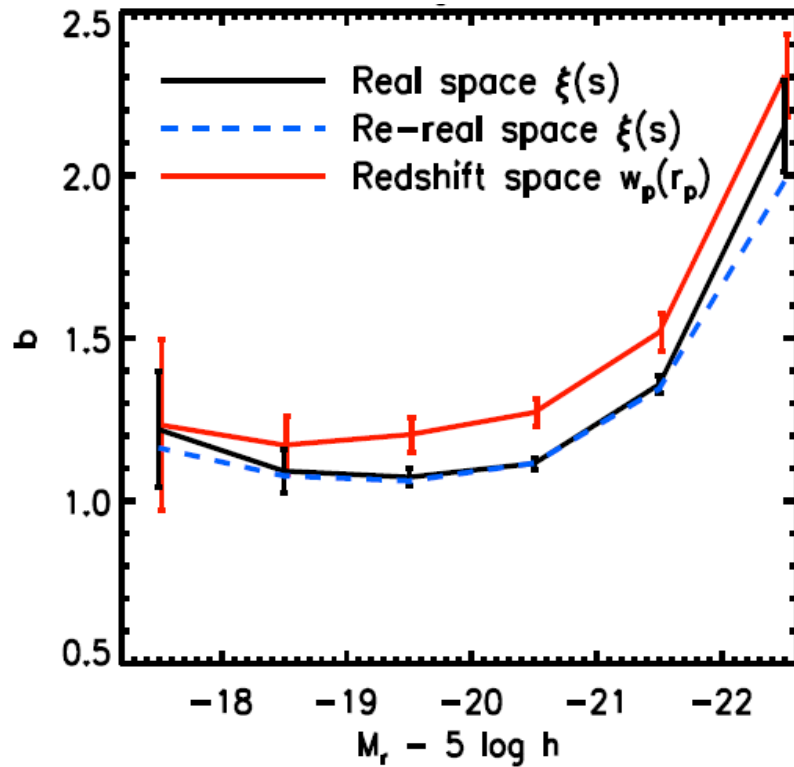


The bias factor b

$$\xi_{gg}(s) = b^2 \xi_{mm}(s)$$

$$w_p(r_p)_{gg} = b^2 w_p(r_p)_{mm}$$

Mock Test



The bias factor b

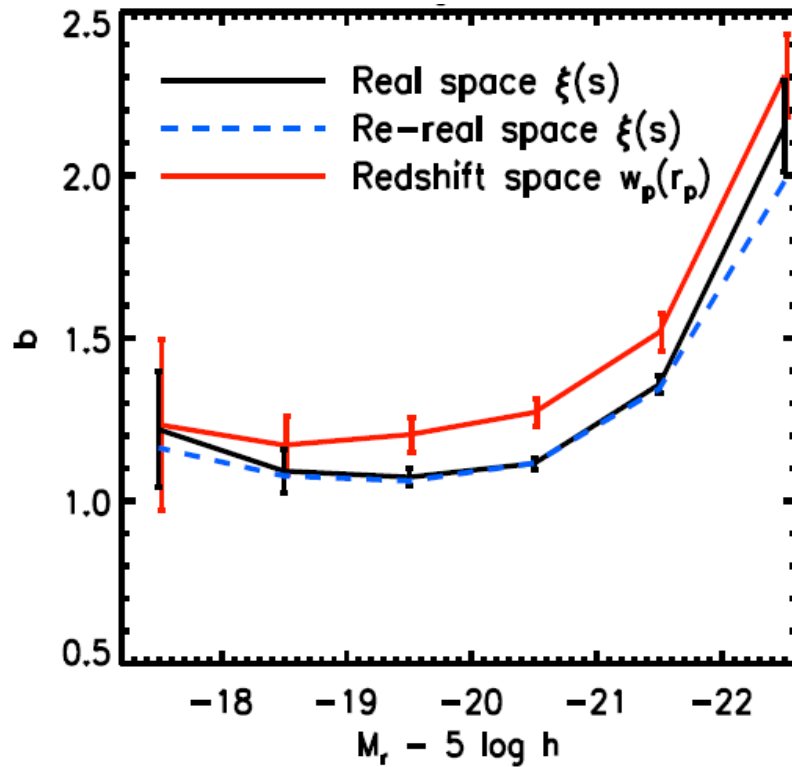
$$\xi_{gg}(s) = b^2 \xi_{mm}(s)$$



$$w_p(r_p)_{gg} = b^2 w_p(r_p)_{mm}$$



Mock Test



The bias factor b

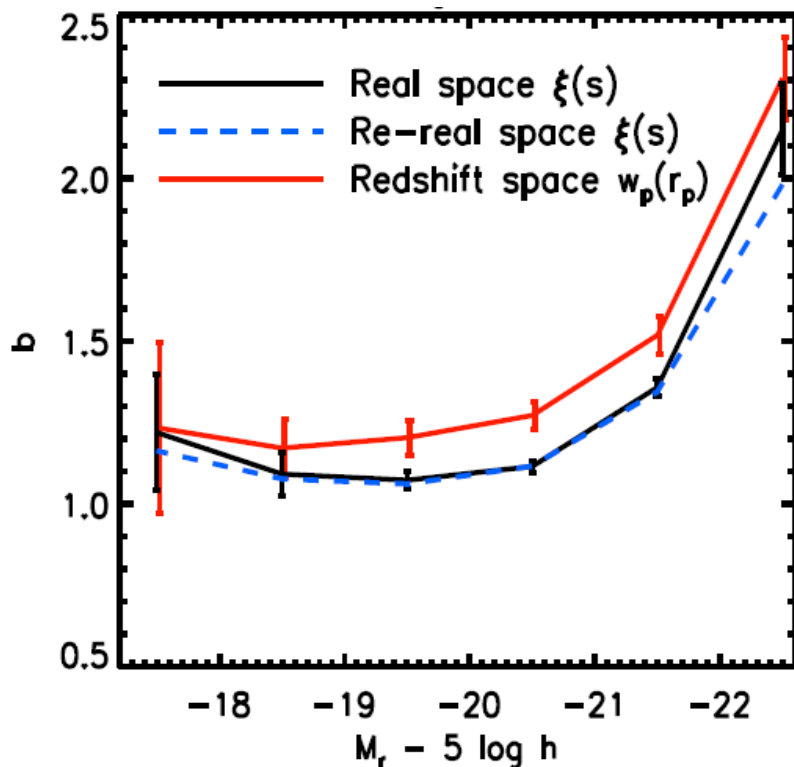
$$\xi_{gg}(s) = b^2 \xi_{mm}(s)$$



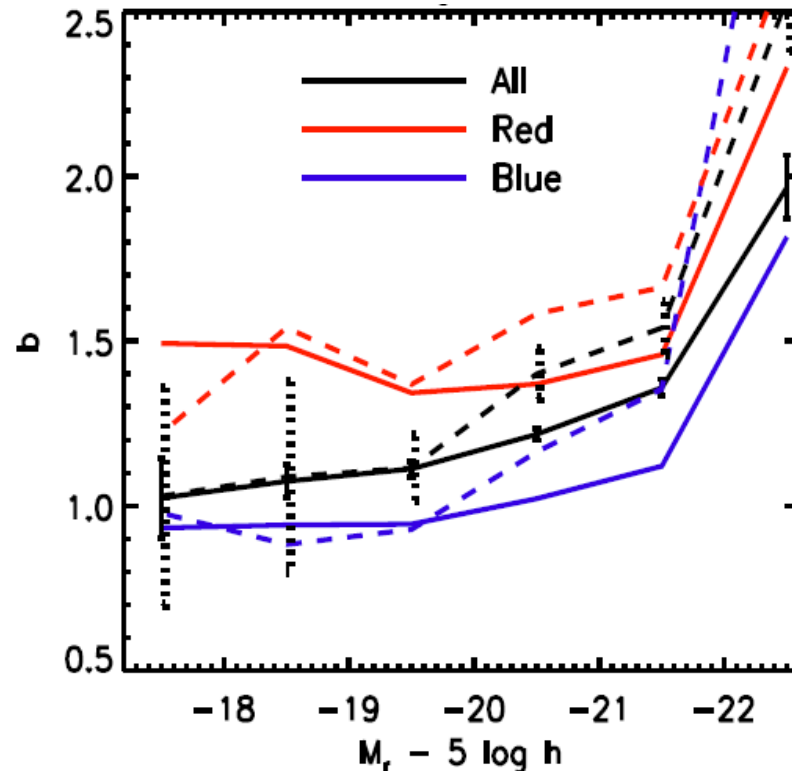
$$w_p(r_p)_{gg} = b^2 w_p(r_p)_{mm}$$



Mock Test



SDSS DR7



New estimation for b using the re-real space $\xi(s)$

Summary

- A method to correct for the redshift distortions

Mock test shows a good performance

- Map the real space galaxy distributions in SDSS DR7

A catalog with $0.01 < z < 0.12$ in the NGC region

Contain 396068 galaxies

Available online : <http://gax.shao.ac.cn/data/Group.html>

- Study the galaxy clustering in re-real space

The Sloan Great Wall structure is not so dominant as in redshift space

Measure the 2PCFs for galaxies of different luminosities and colors

Some applications, such as estimating the bias factor

Summary

Thank You!

- A method to correct for the redshift distortions

Mock test shows a good performance

- Map the real space galaxy distributions in SDSS DR7

A catalog with $0.01 < z < 0.12$ in the NGC region

Contain 396068 galaxies

Available online : <http://gax.shao.ac.cn/data/Group.html>

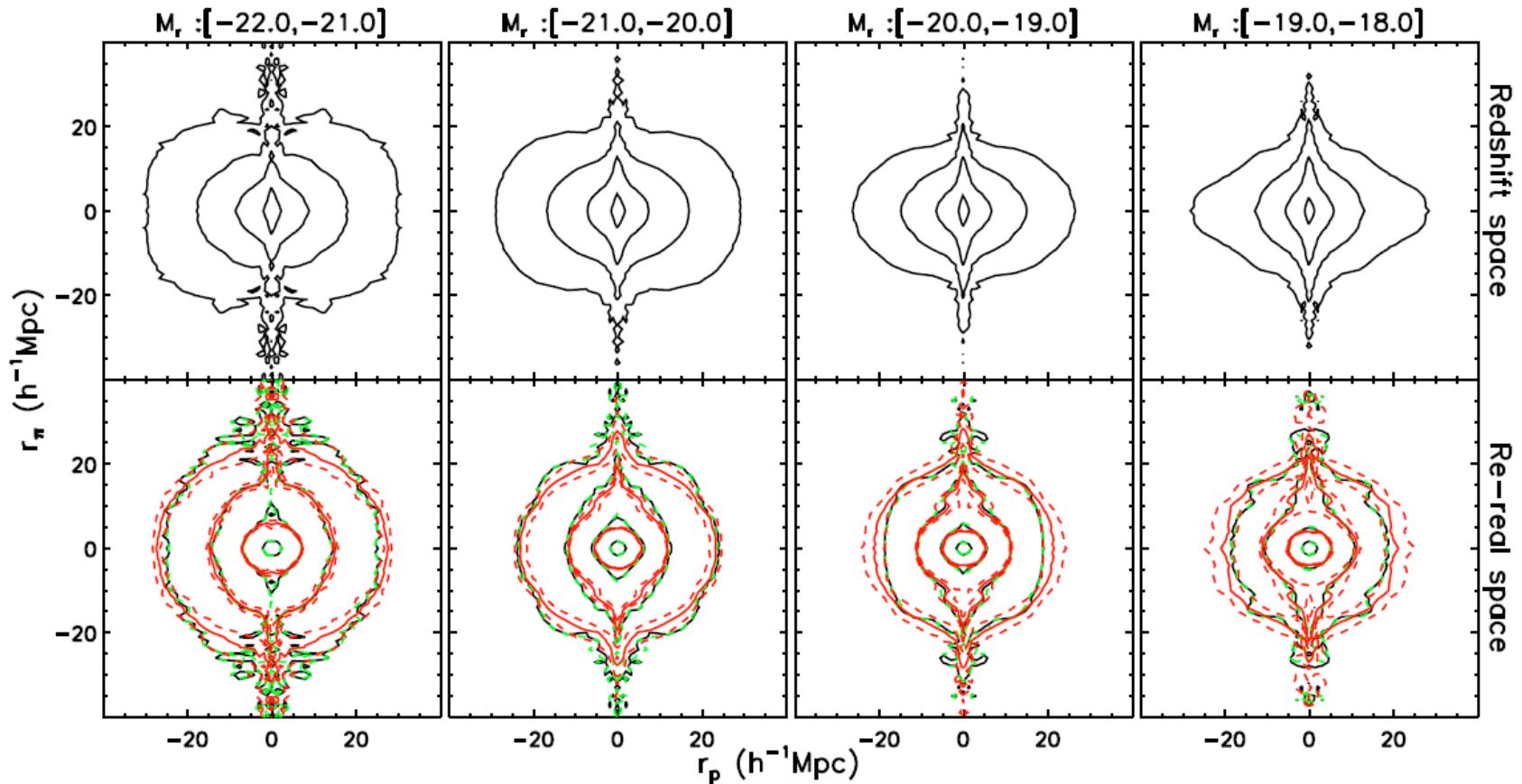
- Study the galaxy clustering in re-real space

The Sloan Great Wall structure is not so dominant as in redshift space

Measure the 2PCFs for galaxies of different luminosities and colors

Some applications, such as estimating the bias factor

SDSS DR7 : 2D 2PCF



- Use 10 mock samples to estimate the variance:
 - Red solid : average value
 - Red dashed : 1σ error

Most contours fall within the 1σ error ranges

Galaxies sample : SDSS DR7

In our work:

- North Galactic Cap (NGC)
- Mass threshold $M_{th} = 10^{12.0} h^{-1} M_{\odot}$
- Redshift range $0.01 \leq z \leq 0.12$
- 396068 galaxies , 286043 groups

TABLE 1
GALAXY SUBSAMPLES

Absolute Magnitude		Flux-limited		Volume-limited		
$^{0.1}M_r - 5 \log h$	Redshift	$N_{gal}(N_{blue}/N_{red})$	Averaged Magnitude	Redshift	$N_{gal}(N_{blue}/N_{red})$	Averaged Magnitude
[-23, -22]	[0.01, 0.12]	2200(379/1821)	-22.22	[0.01, 0.12]	2200(379/1821)	-22.22
[-22, -21]	[0.01, 0.12]	42207(11997/30210)	-21.34	[0.01, 0.12]	42207(11997/30210)	-21.34
[-21, -20]	[0.01, 0.12]	156765(64956/91809)	-20.44	[0.01, 0.113]	134801(55572/79229)	-20.43
[-20, -19]	[0.01, 0.12]	127444(71018/56426)	-19.57	[0.01, 0.075]	73391(41659/31732)	-19.47
[-19, -18]	[0.01, 0.12]	43894(31646/12248)	-18.58	[0.01, 0.045]	21875(16052/5823)	-18.48
[-18, -17]	[0.01, 0.12]	17259(14327/2932)	-17.57	[0.01, 0.026]	5618(4818/800)	-17.46

Construct mock samples

- N-body simulation:

$$L = 500h^{-1}Mpc, N = 3072^3, \Omega_m = 0.282, \Omega_\Lambda = 0.718, \Omega_b = 0.046,$$
$$h = 0.697, n_s = 0.965, \sigma_8 = 0.817$$

- Halo finder : FOF , 'real halo'

- Galaxies model :

CLF model from Yang et al. (2003)

Update here for SDSS DR7

Redshift distortion

For each galaxy :

Redshift
distance

Real
distance

$$z_{obs} = z_{cos} + \frac{v_{pec}}{c} (1 + z_{cos})$$

$$v_{cen} + v_{\sigma}$$

Group center
velocity

Group velocity
dispersion

Kaiser effect

FOG effect

Redshift distortion

Mock Samples : 2D 2PCF

For each galaxy :

Redshift distance

Real distance

$$z_{obs} = z_{cos} + \frac{v_{pec}}{c} (1 + z_{cos})$$

v_{cen}

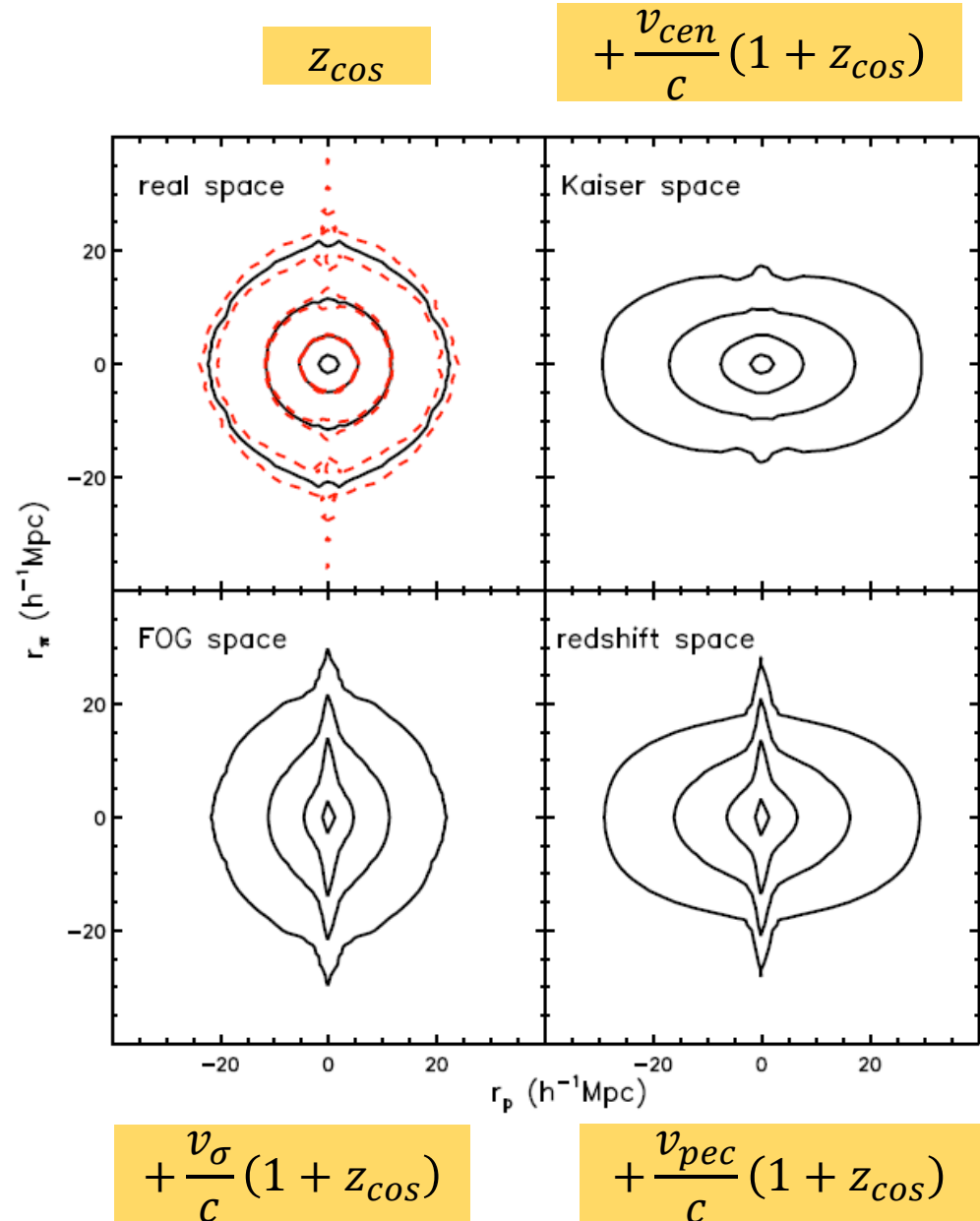
v_{σ}

Group center velocity

Group velocity dispersion

Kaiser effect

FOG effect



Correct for redshift distortion

I. find galaxy group in redshift space

Yang et al. (2005, 2007) developed a adaptive halo-based group finder.

1. Group member : central and satellites
2. The underlying halo mass

True spaces

TABLE 2
DESCRIPTION OF DIFFERENT SPACES.

SPACE	DESCRIPTION
Real space	survey geometry without redshift distortions
FOG space	distorted only by FOG effect: $z_{\text{obs}} = z_{\text{cos}} + \frac{v_{\sigma}}{c}(1 + z_{\text{cos}})$
Kaiser space	distorted only by Kaiser effect: $z_{\text{obs}} = z_{\text{cos}} + \frac{v_{\text{cen}}}{c}(1 + z_{\text{cos}})$
Redshift space	distorted by both Kaiser and FOG effects: $z_{\text{obs}} = z_{\text{cos}} + \frac{v_{\text{pec}}}{c}(1 + z_{\text{cos}})$
Re-real space	reconstructed real space; based on correcting redshift space distortions
Re-Kaiser space	reconstructed Kaiser space; based on correcting for FOG effect only
Re-FOG space	reconstructed FOG space; based on correcting for Kaiser effect only

Reconstructed spaces

We have constructed 10 mock samples to estimate the cosmic variance

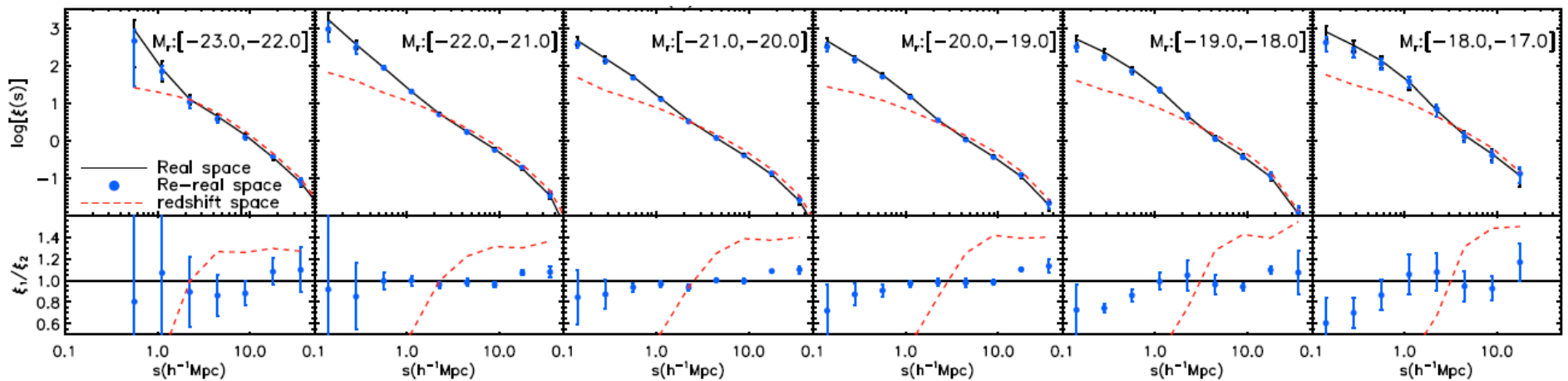
Our goals

- Map the real space galaxy distribution
- Study the galaxy clustering in real space
2PCF

Mock Test

The 2PCF $\xi(s)$

— True real space vs. Reconstructed real space ●



On average for galaxies brighter than $M_r - 5 \log h = -19$,

$$\frac{\xi(s)_{reconstruct}}{\xi(s)_{true}} = 1.0 \pm 0.05$$

$$0.2 \leq s \leq 20 (h^{-1} Mpc)$$