

An Origin of High Velocity Compact Cloud Dynamical Signature of Intermediate Mass Black Hole

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New Evidence of IMBH(Oka et al. 2016)

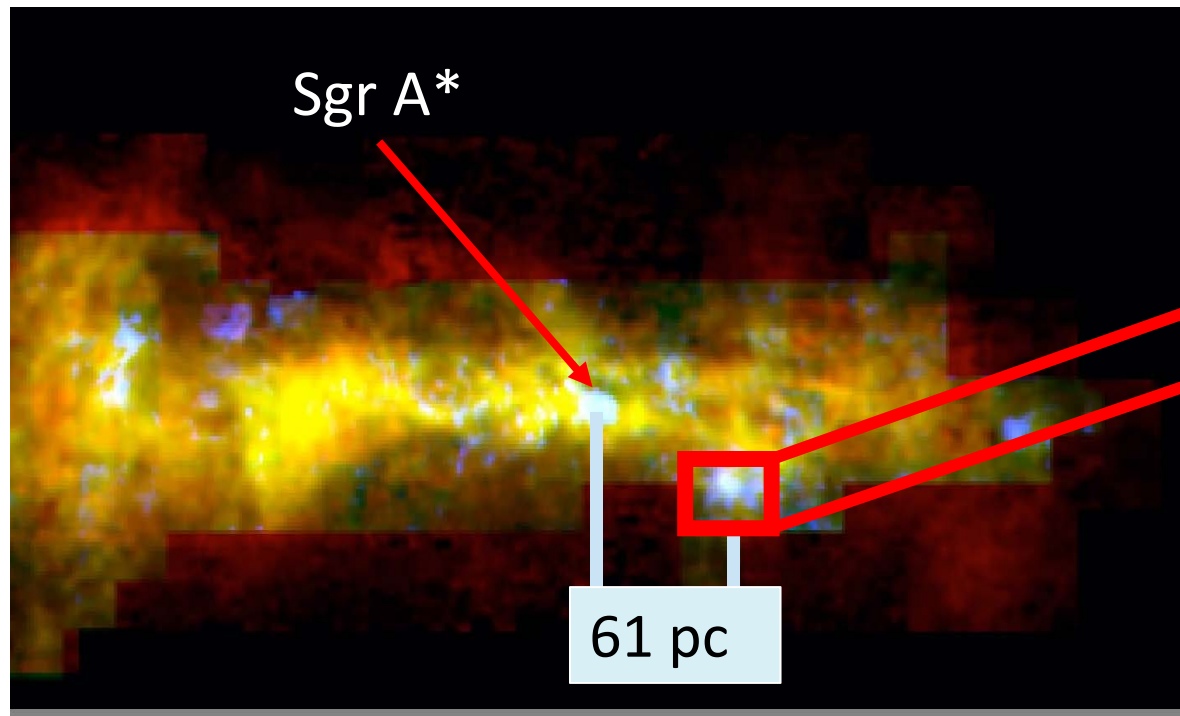


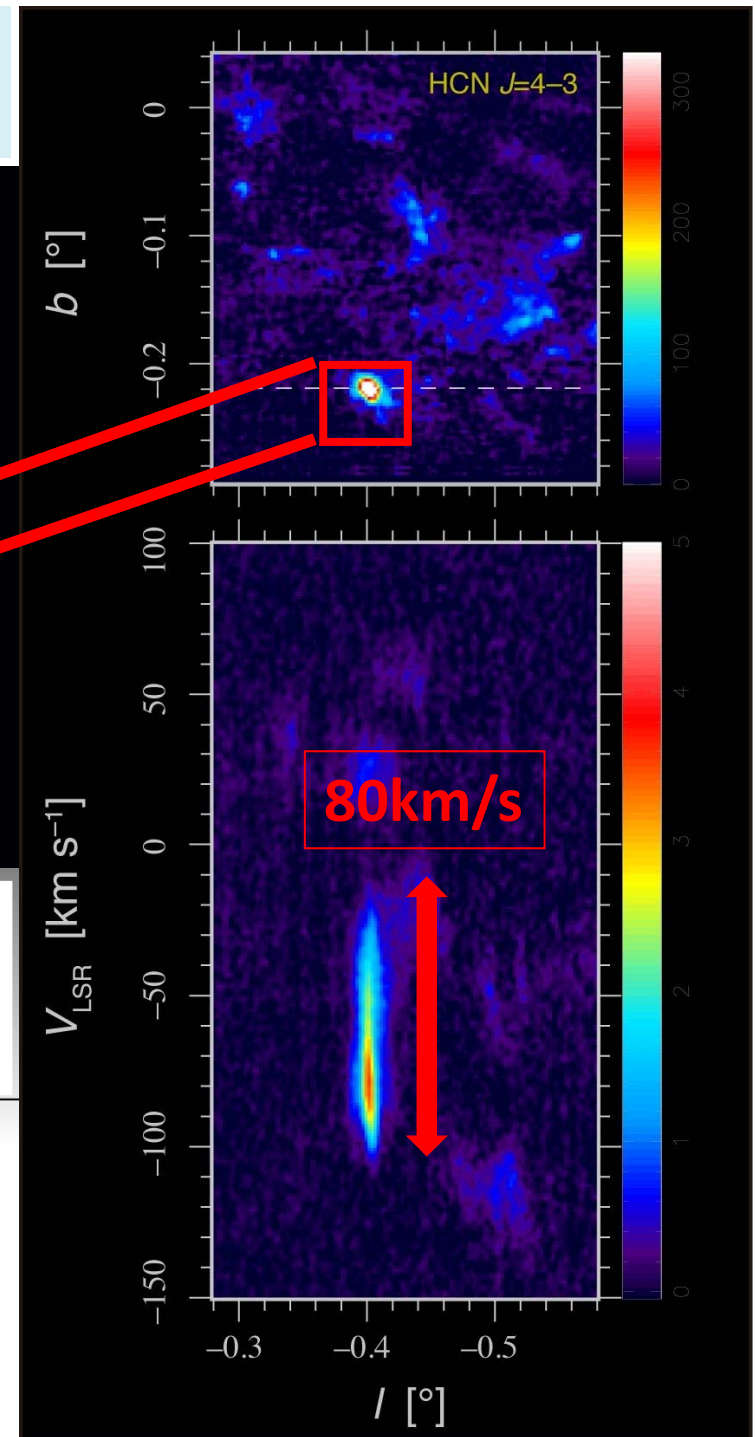
Image taken from Oka et al. 2016

Colors:

Red: Intensity of CO J = 1-0 line

Yellow: Intensity of CO J = 3-2 line

Blue : Intensity ratio of CO J = 3-2/J = 1-0



How to Explain the High Velocity Dispersion?

Typical Molecular sound speed: $\sim 0.2 \text{ km/s}$  80 km/s

1. Cloud–Cloud Collision : Energy is $10\sim 100$ smaller than HVCC

2. Bipolar emission: Energy is $10\sim 100$ times smaller than HVCC

3. SNR: No X-ray/non-thermal emission!

— — — All of the above scenarios have **difficulties**. (Tanaka et al. 2014) — — —

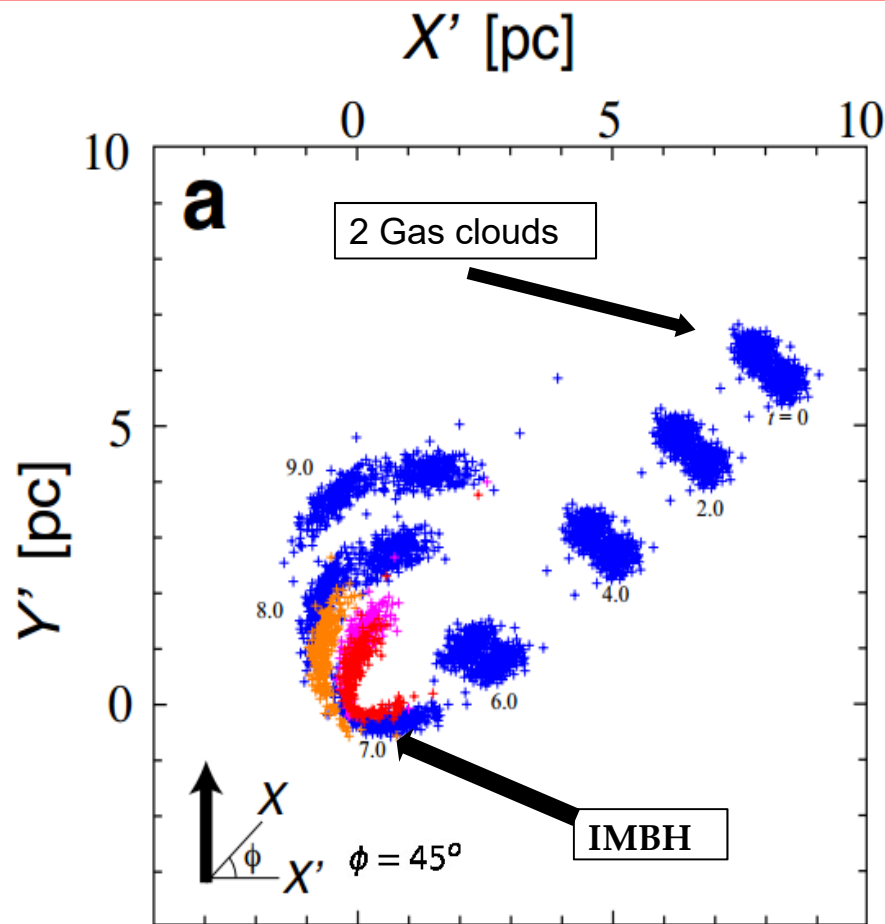
4. Scattering by Gravitational Source :

$$M_{BH} = \frac{rv_{rot}^2}{G} \text{ gives "Gravity Source" } \sim 10^5 M_{sun} @ 0.1\text{pc}$$

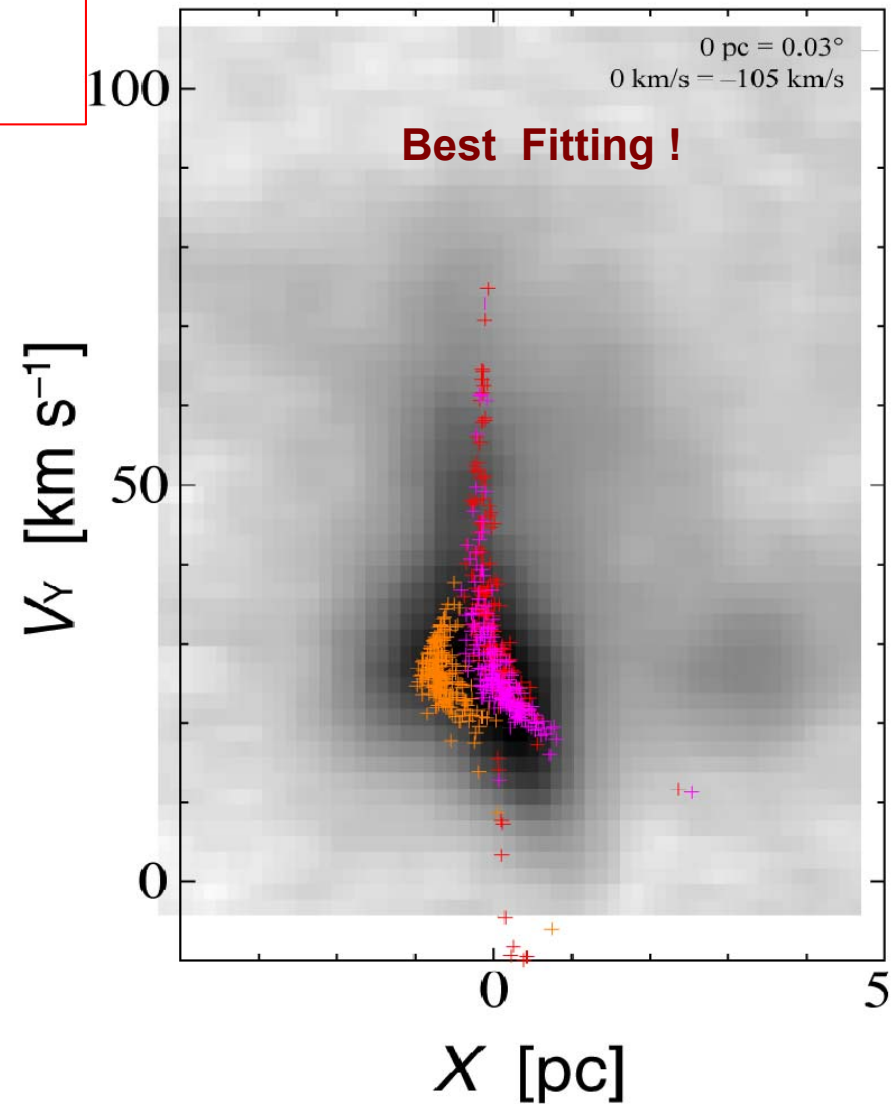
IMBH!

(Oka et al.2016) Simple Test Particle Simulation

- Only considering gravity from IMBH
- No self-gravity
- No hydrodynamic effects



(Image taken from Oka et al. 2016)



Possible Diagnostics

However, tidal force creates a strong shock wave!

If tidal heating **dissociates all the molecules**,
this scenario would not work!

Remember we are observing **molecular lines**!

I. Tidal Compression

5000 yrs



II. Gas Heating/Shock wave

Estimated Mach number ~10



III. Molecular dissociation/recombination:

2000 yrs

Therefore, we need

- **full hydrodynamic treatment with self-gravity**
- **radiative heating/cooling and chemistry**

Governing Equations

$$\rho = \mu m_H n$$

Density and Number density

$$\frac{d\rho}{dt} = -\rho \nabla \cdot \vec{v}$$

Continuity Equation

$$\frac{d\vec{v}}{dt} = -\frac{1}{\rho} \nabla P + \nabla \int dx'^3 \frac{G\rho(x')}{|\vec{x} - \vec{x}'|} + \frac{GM_{BH} \vec{r}}{r^3}$$

EOM

$$\frac{d\epsilon}{dt} = -\frac{P}{\rho} \nabla \cdot \vec{v} + \Gamma - \Lambda$$

Equation of energy

$$P = (\gamma - 1)\rho\epsilon$$

Equation of state

$$\frac{dn_i}{dt} = C_i - Dn_i$$

Chemistry network

where i represents $[H^+, H, H_2, C^+, CO, e^-]$

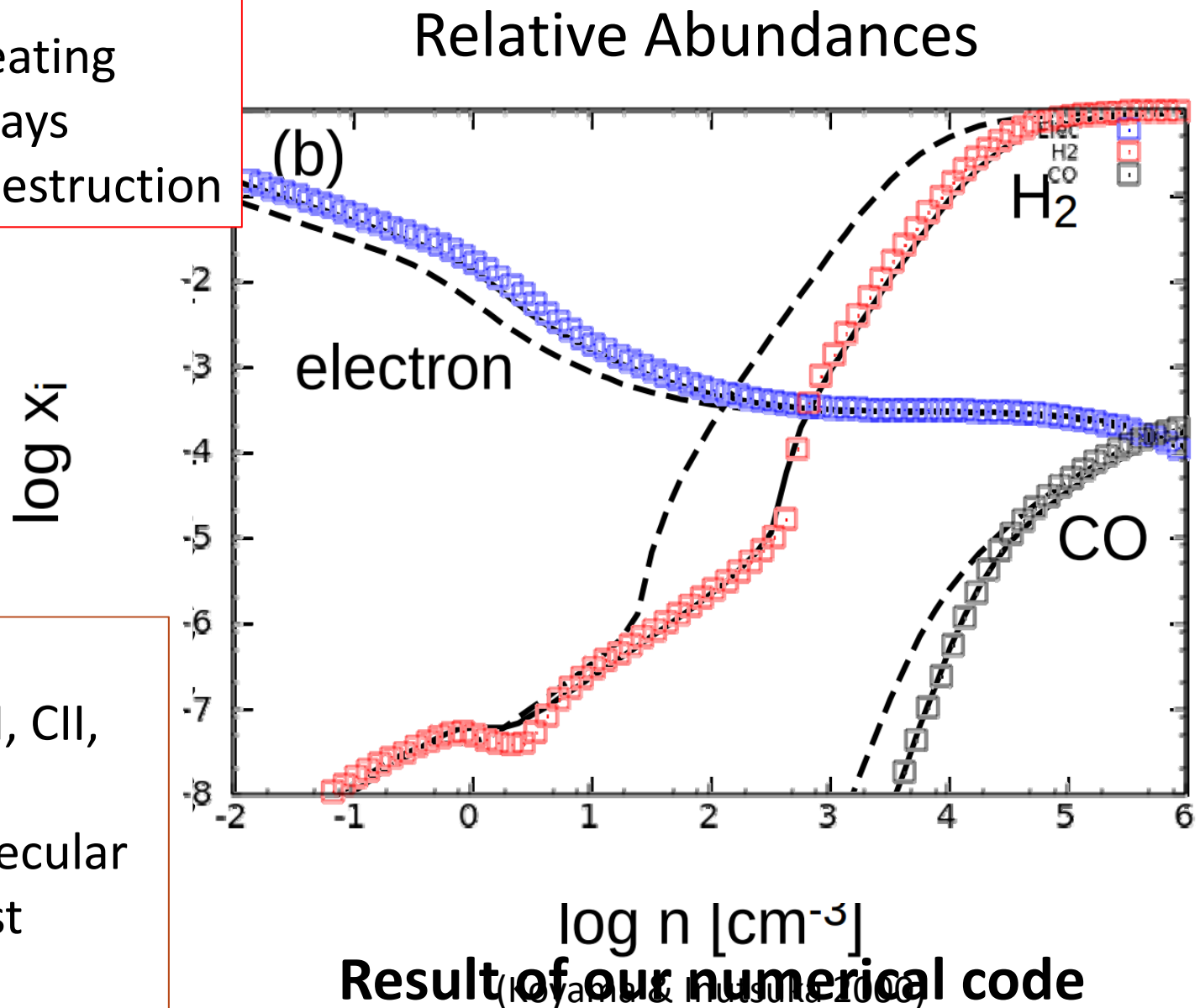
Radiative Cooling, Heating, & Chemistry Network

Heating effects:

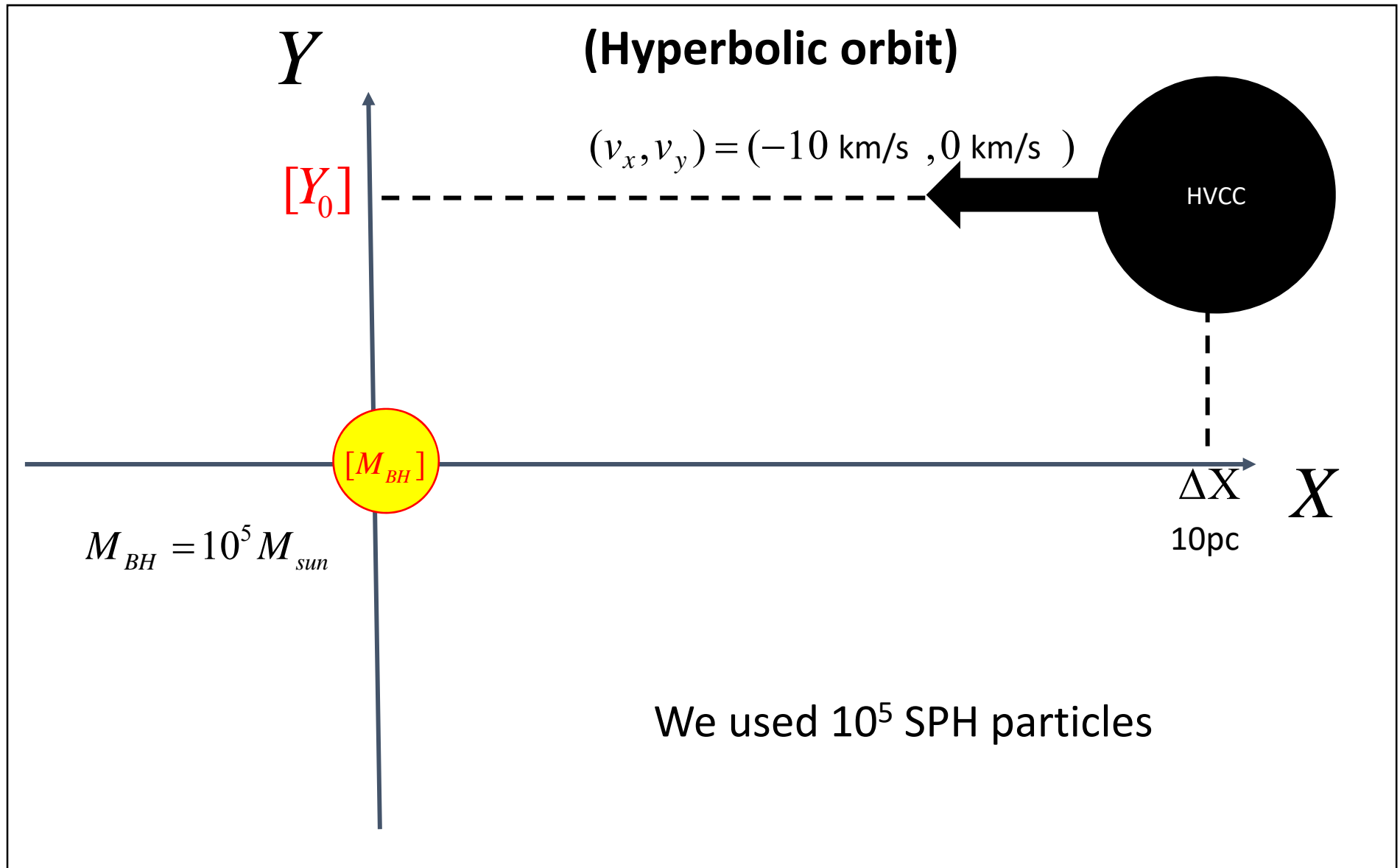
1. Photoelectric heating
2. Cosmic rays/X-rays
3. H₂ formation/destruction

Cooling effects:

1. Line emission: H, CII, O, H₂, CO
2. Atomic and molecular collisions with dust grains



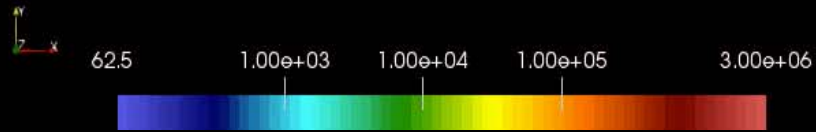
Simulation setup



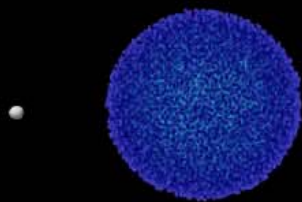
Face on View



Density



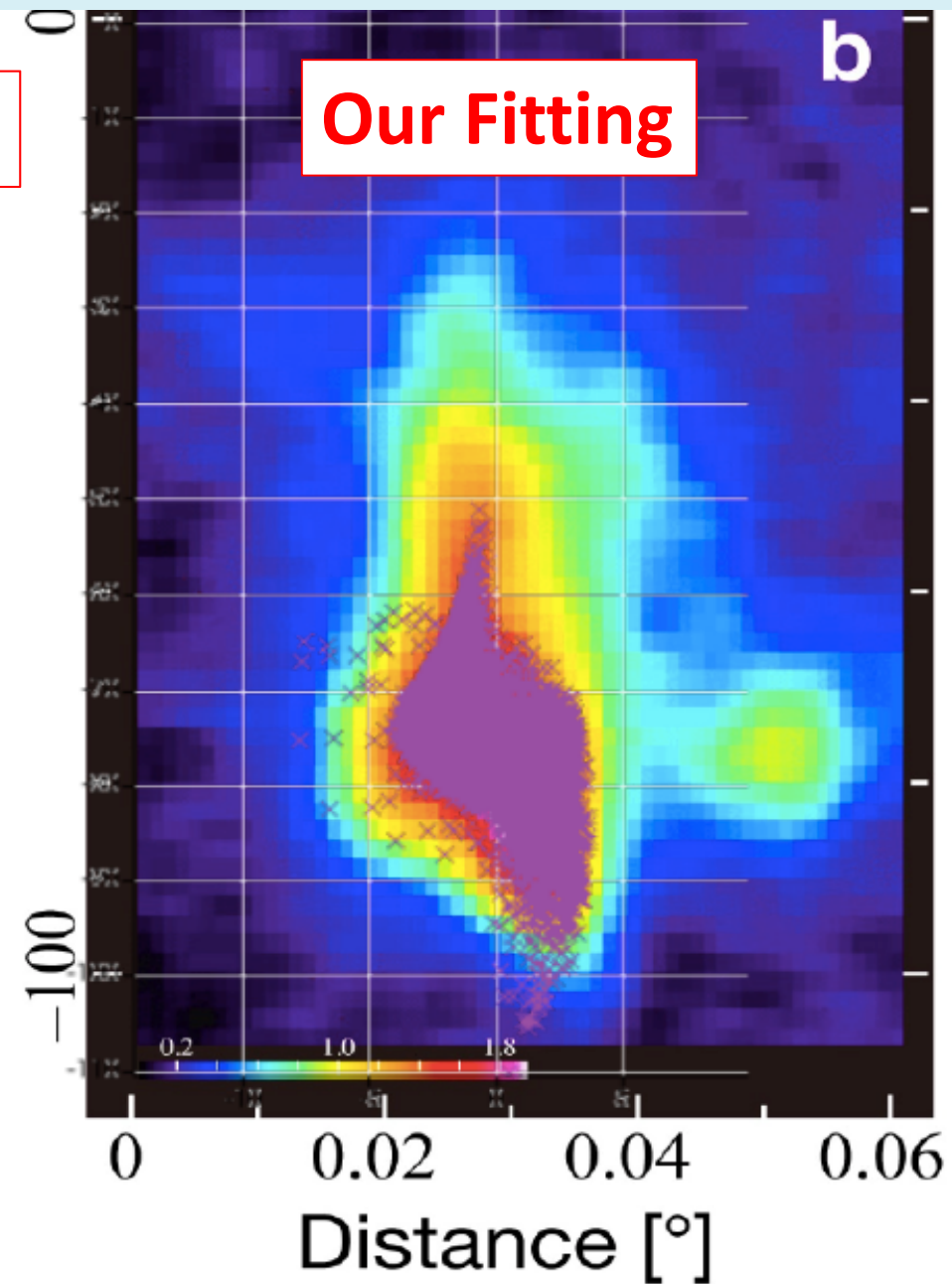
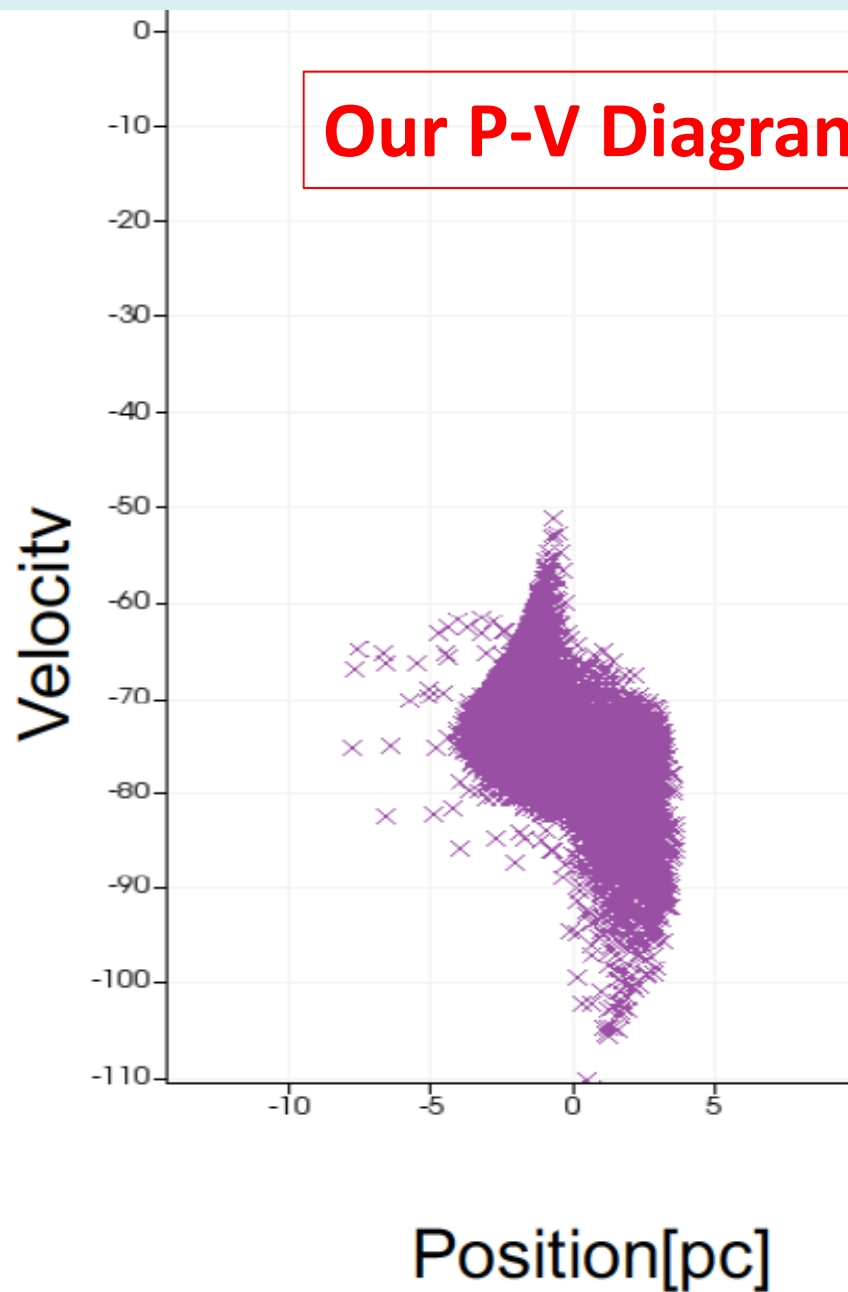
Edge on View



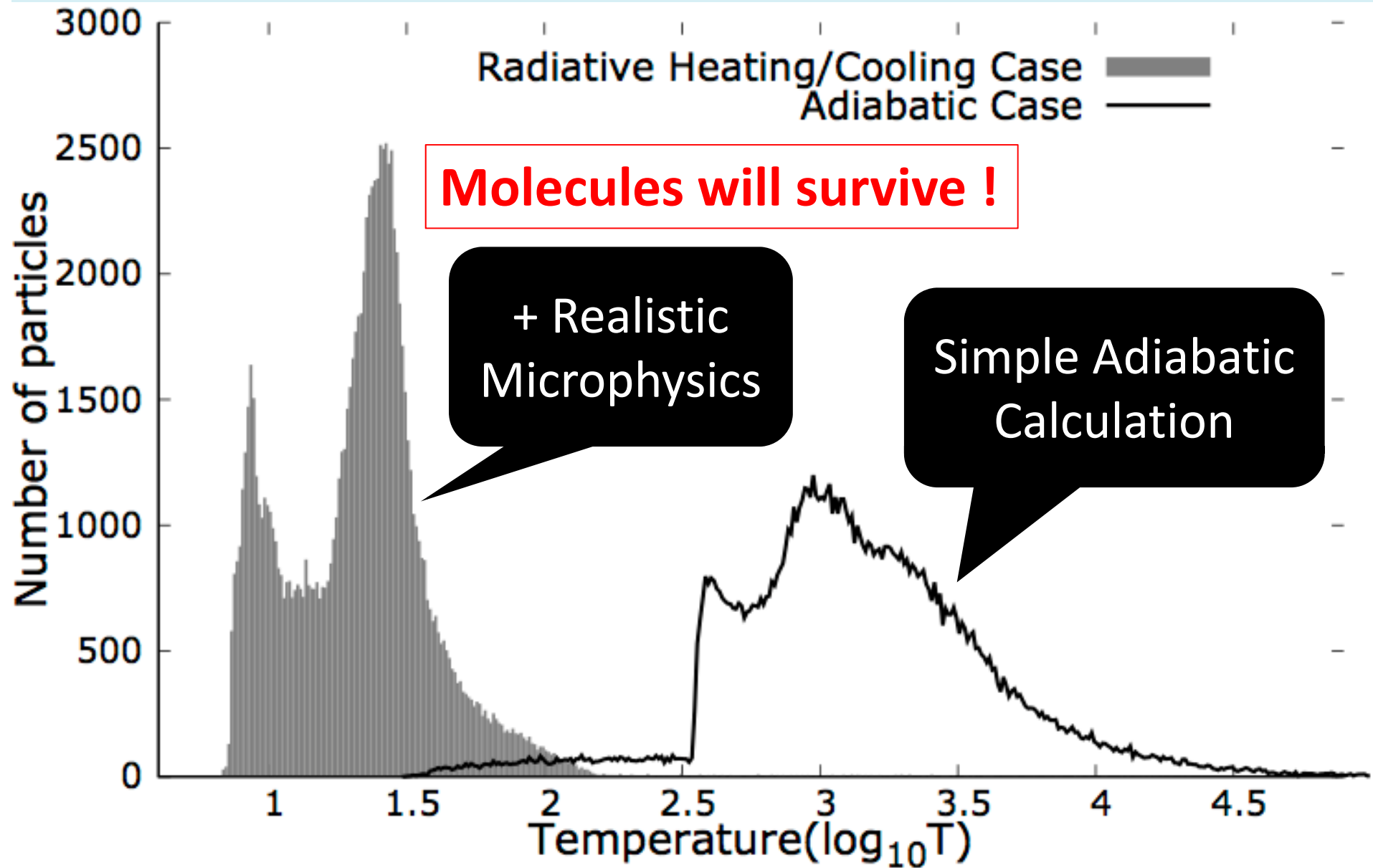
Density



P-V(Position-Velocity) Diagram Fitting



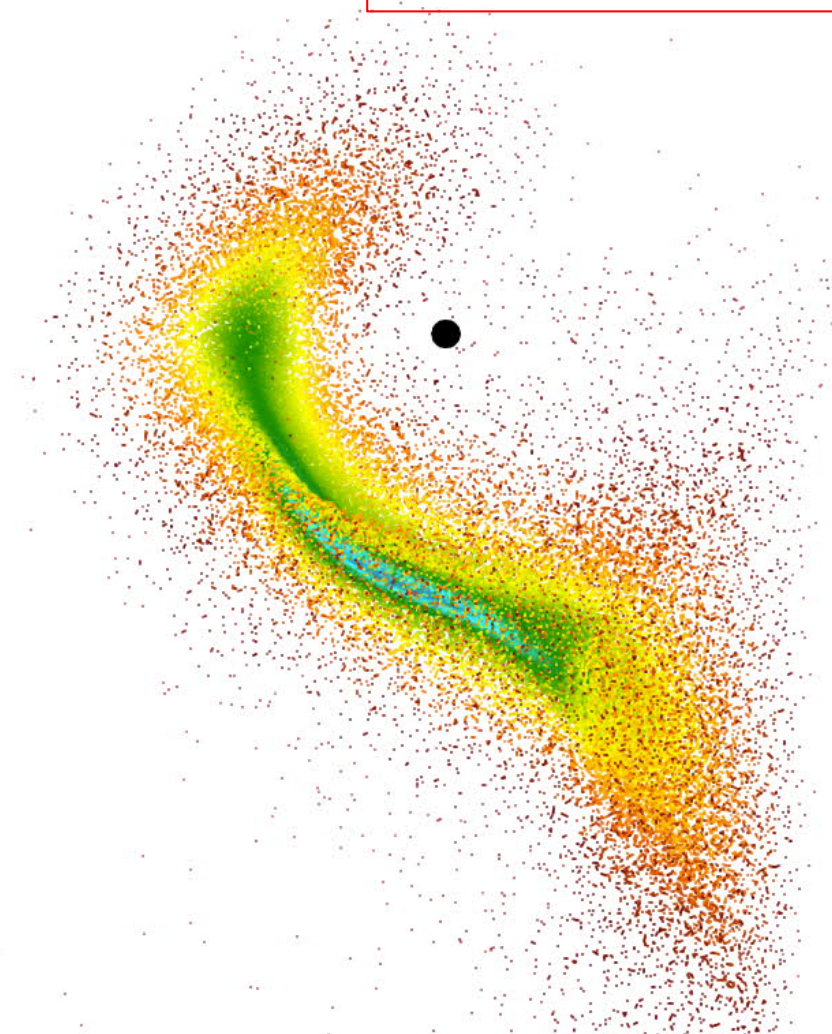
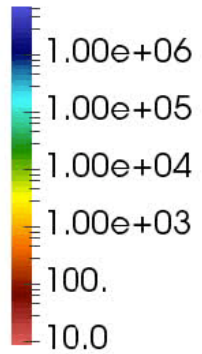
Will Molecules Survive?



“Horn Structure”

Induced by Radiative Heating/Cooling Effect

Density



How many IMBHs in our Galaxy?

$$\sigma = \pi b^2$$

Cross section for Gravitational scattering(>100km/s)

$$f = N_{BH} n_{MC} \sigma v_{BH}$$

Frequency of HVCC events in our Galaxy

$$= 4.2 \times 10^{-16} N_{BH} \left[\frac{n_{MC}}{10^5} \right] \left[\frac{\sigma}{(\pi 2\text{pc})^2} \right] \left[\frac{v_{BH}}{100\text{km/s}} \right] [\text{s}^{-1}]$$

$$N_{obs} = t_{duration} f$$

True observed numbers of HVCC event

$$= 1.3 \left[\frac{N_{BH}}{100} \right] \left[\frac{n_{MC}}{10^5} \right] \left[\frac{\sigma}{(\pi 2\text{pc})^2} \right] \left[\frac{v_{BH}}{100\text{km/s}} \right] \left[\frac{t_{duration}}{1\text{Myr}} \right]$$

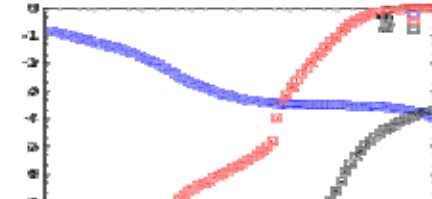
Predicted Number of IMBH in our Galaxy

$$N_{BH} = 100 \left[\frac{N_{obs}}{1.3} \right] \left[\frac{n_{MC}}{10^5} \right]^{-1} \left[\frac{\sigma}{(\pi 2\text{pc})^2} \right]^{-1} \left[\frac{v_{BH}}{100\text{km/s}} \right]^{-1} \left[\frac{t_{duration}}{1\text{Myr}} \right]^{-1}$$

Summary

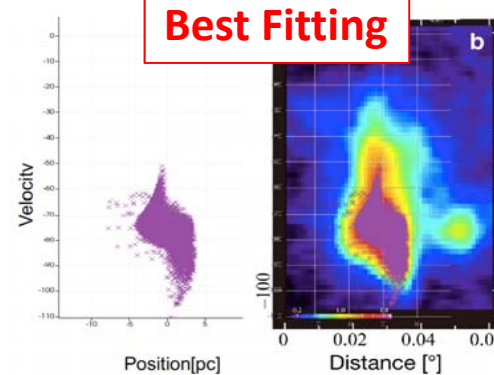
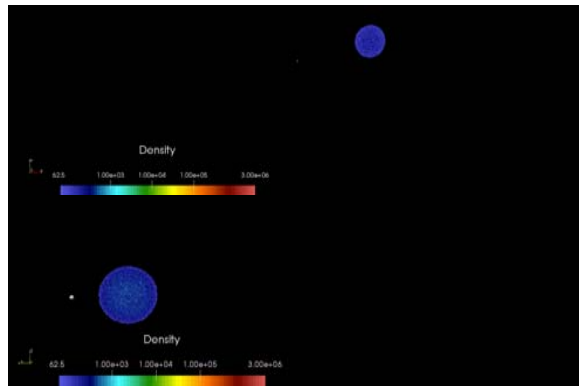
1. We developed a 3D high-resolution shock-capturing numerical code based on **Godunov SPH**. In the code We implemented realistic **radiative heating/cooling and chemical reactions**.

We considered 6 species [H⁺, H, H₂, C⁺, CO, e⁻]

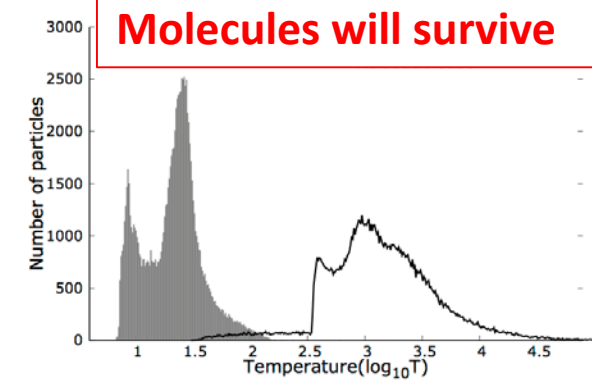


Fast O(n) Chemical Network

2. We performed **hydrodynamical simulations** of a molecular cloud being scattered by an intermediate mass black hole and found the case that **molecules survived**



Best Fitting



Molecules will survive

3. We formulated a method to estimate the **total number of intermediate mass black holes in our Galaxy** by the observation.

$$N_{BH} = 100 \left[\frac{N_{obs}}{1.3} \right] \left[\frac{n_{MC}}{10^5} \right]^{-1} \left[\frac{\sigma}{(\pi 2pc)^2} \right]^{-1} \left[\frac{v_{BH}}{100km/s} \right]^{-1} \left[\frac{t_{duration}}{1Myr} \right]^{-1}$$

A scatter plot representing a galaxy, with a color gradient from blue to red. The plot shows a dense central region with a black dot in the center. The text "Thanks for your attention!" is overlaid on the plot.

Thanks for your attention!